

# XML and Databases

## **Lecture 8**

*Streaming Evaluation: how much memory do you need?*

Sebastian Maneth  
NICTA and UNSW

*CSE@UNSW -- Semester 1, 2009*

## Small XPath Quiz

Can you give an expression that returns the **last** / **first** occurrence of each distinct price element?

```
<b>
<price>3</price>
<price>1</price>
<price>3</price>
<price>1</price>
<price>3</price>
<price>4</price>
<price>1</price>
<price>7</price>
</b>
```

Should return

```
<price>3</price>
<price>4</price>
<price>1</price>
<price>7</price>
```

Should return

```
<price>3</price>
<price>1</price>
<price>4</price>
<price>7</price>
```

## Small XPath Quiz

Can you give an expression that returns the **last** / **first** occurrence of each distinct price element?

```
<b>
<price>3.0</price>
<price>1</price>
<price>3.00</price>
<price>1</price>
<price>3</price>
<price>4</price>
<price>1.000</price>
<price>7</price>
</b>
```

Should return

```
<price>3</price>
<price>4</price>
<price>1.000</price>
<price>7</price>
```

Should return

```
<price>3.0</price>
<price>1</price>
<price>4</price>
<price>7</price>
```

What if we mean *number-distinctness* (not strings)?

## 0. Recall

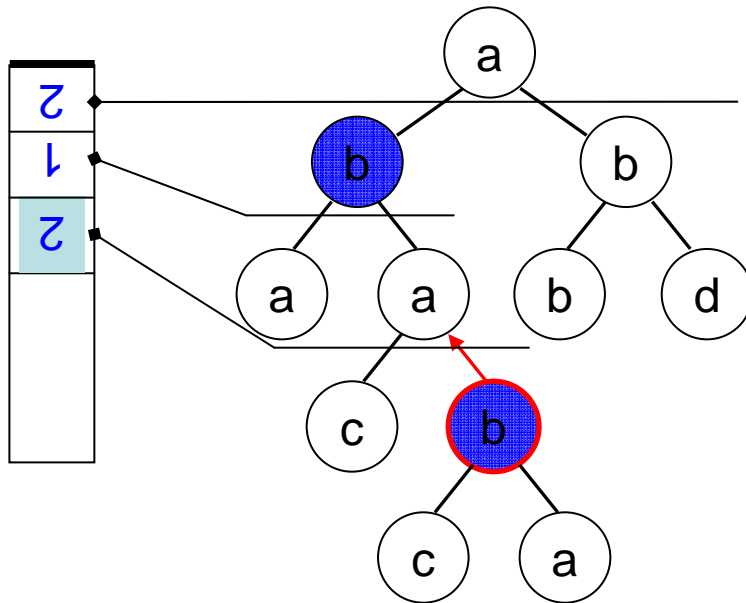
- Evaluation of Simple Paths `//a/b/c`
- Arbitrary Queries over `//, /, *`

## Outline

1. Automaton Approach
2. Parallel Evaluation of Multiple Queries
3. Sizes of Automata
4. How to deal with Filters
5. Existing Systems for Streaming XPath Evaluation

## Recall: Top-Down Evaluation of *Simple Paths*

→ evaluate in *one single pre-order traversal* (using a **stack**)

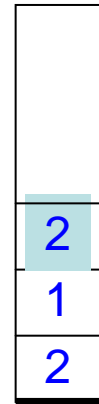


[endElement( b )]     $p = \text{pop}() = 2$

//a/b    =0



query match position:  $p = 2$

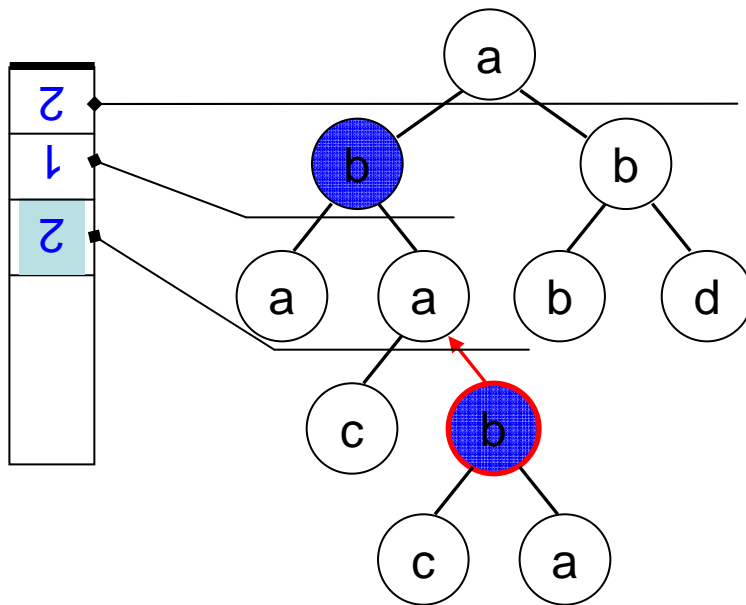


```

[startElement( a )]
[startElement( b )] ← result node
[startElement( a )]
[endElement( a )]
[startElement( a )]
[startElement( c )]
[endElement( c )]
[startElement( b )] ← result node
[startElement( c )] push(1)
[endElement( c )]  p = pop() = 1
[startElement( a )] push(1)
[endElement( a )]  p = pop() = 1
    
```

## Recall: Top-Down Evaluation of *Simple Paths*

→ evaluate in *one single pre-order traversal* (using a **stack**)



//a/b = 0



query match position:  $p = 2$



### Streaming Algorithm!

→ No need to store the document!!  
Can evaluate on SAX event stream.

**Simple Path** //a<sub>1</sub>/a<sub>2</sub>/a<sub>3</sub>/ . . . /a<sub>n</sub>

**TIME** **one pass** through document tree.

**SPACE** *stack of query positions.*  
height is bounded by depth of document tree.

**BUT**

Need **output buffers**,  
if subtrees of match  
nodes should be  
printed!

## Recall: Top-Down Evaluation of *Simple Paths*

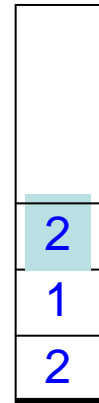
→ evaluate in *one single pre-order traversal* (using a **stack**)

If we print **node-IDs**, then no output buffers are needed!

//a/b =0



query match position:  $p = 2$



→ True Streaming, with memory need proportional to height.

### Streaming Algorithm!

→ No need to store the document!!  
Can evaluate on SAX event stream.

**Simple Path** //a<sub>1</sub>/a<sub>2</sub>/a<sub>3</sub>/ . . . /a<sub>n</sub>

**TIME** **one pass** through document tree.

**SPACE** *stack of query positions.*  
height is bounded by depth of document tree.

**BUT**

Need **output buffers**,  
if subtrees of match  
nodes should be  
printed!

## Recall: Top-Down Evaluation of *Simple Paths*

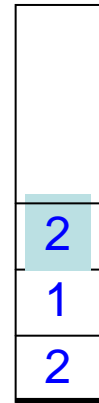
→ evaluate in *one single pre-order traversal* (using a **stack**)

If we print **node-IDs**, then no output buffers are needed!

//a/b = 0



query match position:  $p = 2$



→ any good implementation of this algorithm should work for documents with *depth up to a couple of millions*, and  
**NO restriction on document size!**

### Streaming Algorithm!

→ No need to store the document!!  
Can evaluate on SAX event stream.

**Simple Path** //a<sub>1</sub>/a<sub>2</sub>/a<sub>3</sub>/ . . . /a<sub>n</sub>

**TIME** **one pass** through document tree.

**SPACE** *stack of query positions.* ← height is bounded by depth of document tree.

**1 Byte** is enough for small queries!



# Arbitrary Slash+Slashslash

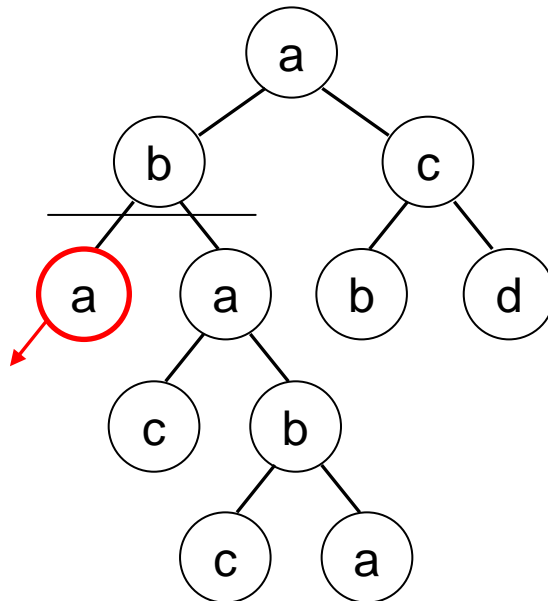
→ evaluate in *one single pre-order traversal* (using a **stack**)

Arbitrary queries with `/`, `//`, `*`

multiple `//`'s

`//a/b//c`

query match position: `p = 3`



...  
[startElement( a )]    push(3)  
[endElement( a )]    p = pop() = 3

no match  
stay in `p=3`!

# Arbitrary Slash+Slashslash

→ evaluate in *one single pre-order traversal* (using a **stack**)

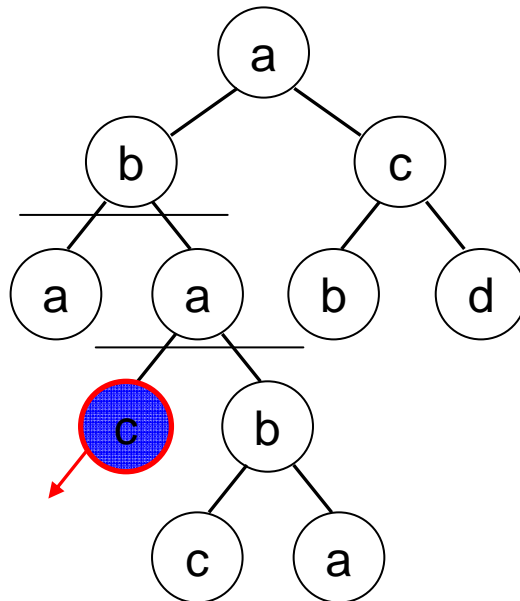
Arbitrary queries with `/`, `//`, `*`

multiple `//`'s

`//a/b//c`

query match position: `p = 3`

3
3
2



...

[startElement( a )] push(3)  
[endElement( a )] p = pop() = 3  
[startElement( a )] push(3)  
[startElement( c )] push(3)

no match  
stay in `p=3`!

Result node!  
Mark it, and stay in `p=3`.

# Arbitrary Slash+Slashslash

→ evaluate in *one single pre-order traversal* (using a **stack**)

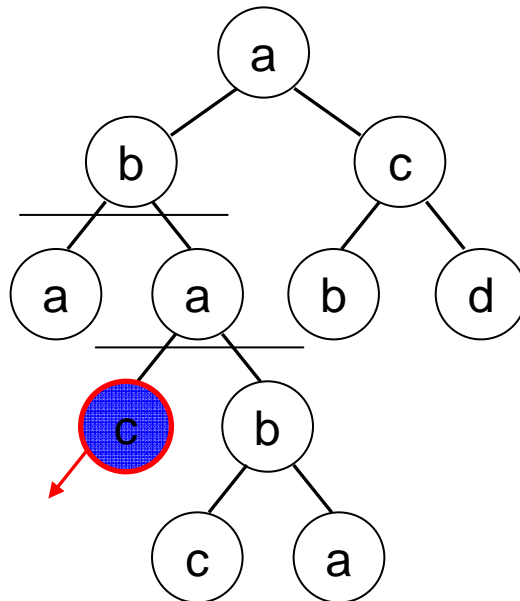
Arbitrary queries with `/`, `//`, `*`

multiple `//`'s

`//a/b//c`

query match position:  $p = 3$

3
3
2



...

[startElement( a )] push(3)  
[endElement( a )] p = pop() = 3  
[startElement( a )] push(3)  
[startElement( c )] push(3)

no match  
stay in  $p=3$ !

Result node!

**Mark it**, and stay in  $p=3$ .

Output Node-ID

Start copying to Output Buffer

# Arbitrary Slash+Slashslash

→ evaluate in *one single pre-order traversal* (using a **stack**)

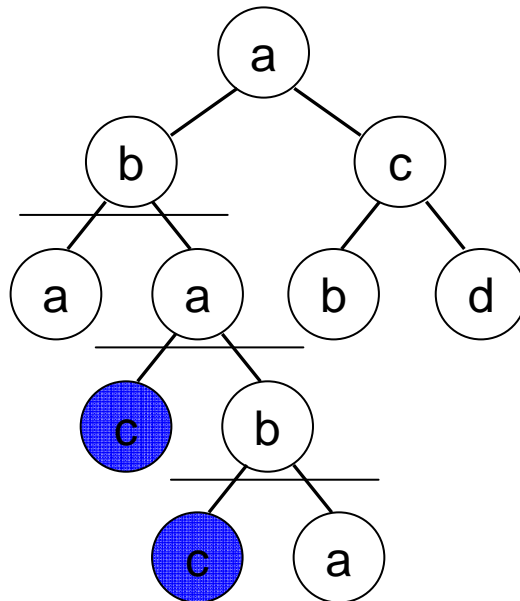
Arbitrary queries with `/`, `//`, `*`

multiple `//`'s

`//a/b//c`

query match position: `p = 3`

3
3
3
2



...

<code>[startElement( a )]</code>	<code>push(3)</code>
<code>[endElement( a )]</code>	<code>p = pop() = 3</code>
<code>[startElement( a )]</code>	<code>push(3)</code>
<code>[startElement( c )]</code>	<code>push(3)</code>
<code>[endElement( c )]</code>	<code>p = pop() = 3</code>
<code>[startElement( b )]</code>	<code>push(3)</code>
<code>[startElement( c )]</code>	<code>push(3)</code>

...

no match  
stay in `p=3`!

# Arbitrary Slash+Slashslash

→ evaluate in *one single pre-order traversal* (using a **stack**)

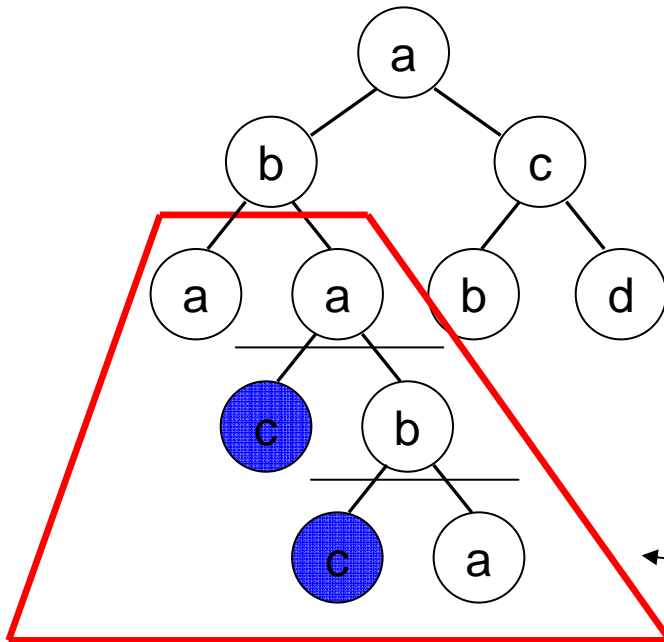
Arbitrary queries with  $/$ ,  $//$ ,  $*$

multiple  $//$ 's

$//a/b//c$

query match position:  $p = 3$

3
3
3
2



Stay at position 3,  
for the *complete subtree*!

Never go back to pos. 1 or pos. 2!

# Arbitrary Slash+Slashslash

→ evaluate in *one single pre-order traversal* (using a **stack**)

Arbitrary queries with  $/$ ,  $//$ ,  $*$

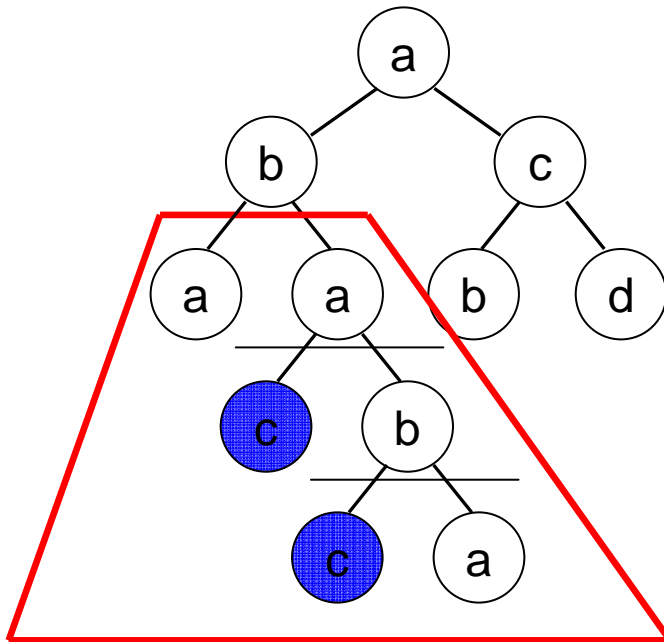
↑  
multiple  $//$ 's

$//a/b//c$



query match position:  $p = 3$

3
3
3
2



## Optimizations (for Output Buffers)

(1) If *inside a matched subtree*, record position (or range within buffer), instead of creating a new output buffer.

(2) If *subtree is finished* (we are not inside a match), then we can write its buffer out and can start with empty buffer again.

[ Worst Case:

root node selected. size of doc. Needed. ]

# Arbitrary Slash+Slashslash

→ evaluate in *one single pre-order traversal* (using a **stack**)

Arbitrary queries with /, //, \*

↑

multiple //’s

//a/b//c

↑

query match position:  $p = 3$

3
3
3
2

//a/b//c/d/\*e//f/g//h

→ Same as before

jump back within /-sequence.  
AT MOST to the beginning of the last //.

Use **KMP** within /-sequence.

For \*’s: build several **KMP**-tables.

# Arbitrary Slash+Slashslash

→ evaluate in *one single pre-order traversal* (using a **stack**)

Arbitrary queries with /, //, \*

multiple //’s

//a/b//c

query match position:  $p = 3$

3
3
3
2

//a/b//c/d/\*e//f/g//h

Query Problem is solved!

Leave optimizations of

>cat file.xml [1. 2. 7, 1. 3, 1. 3. 1. 1, ...]

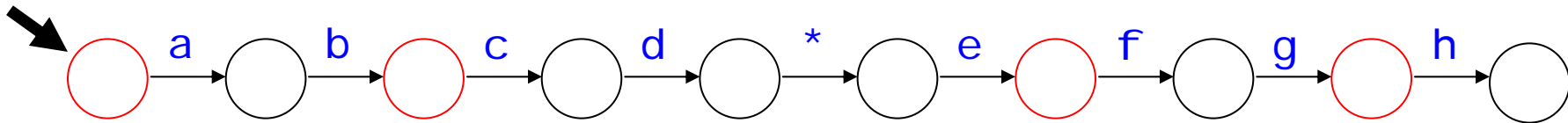
To OS/UNIX hackers.. ☺

If **Node-IDs** are printed, then  
no output buffers are needed.

Then:  
Memory proportional to height.  
Should run for arbitrary large  
docs!



# 1. Automaton Approach



//a/b//c/d/\*e//f/g//h

→ Same as before

jump back within /-sequence.  
AT MOST to the beginning of the last //

Use **KMP** within /-sequence.

For \*'s: build several **KMP**-tables.

## Recall

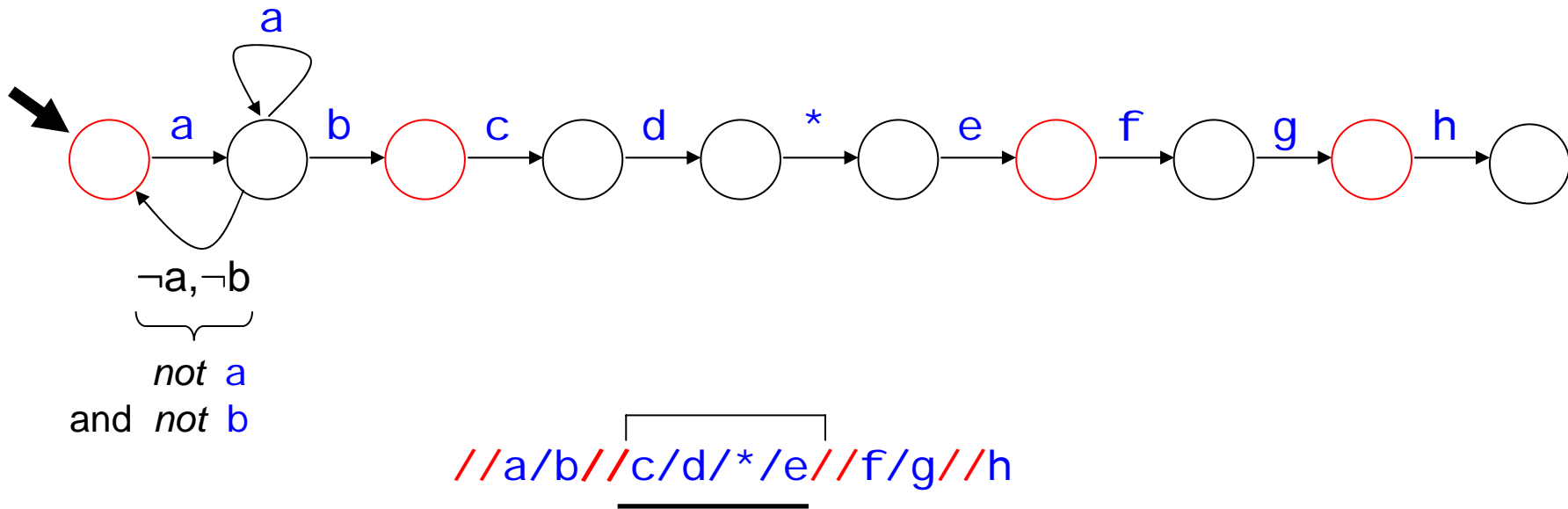
Deterministic Automaton runs in

→ **linear time** and

→ **constant space**

(plus *stack of states*, if we run on paths of a tree)

# 1. Automaton Approach



→ Same as before

jump back within /-sequence.  
AT MOST to the beginning of the last //

Use **KMP** within /-sequence.

For \*'s: build several **KMP**-tables.

## Recall

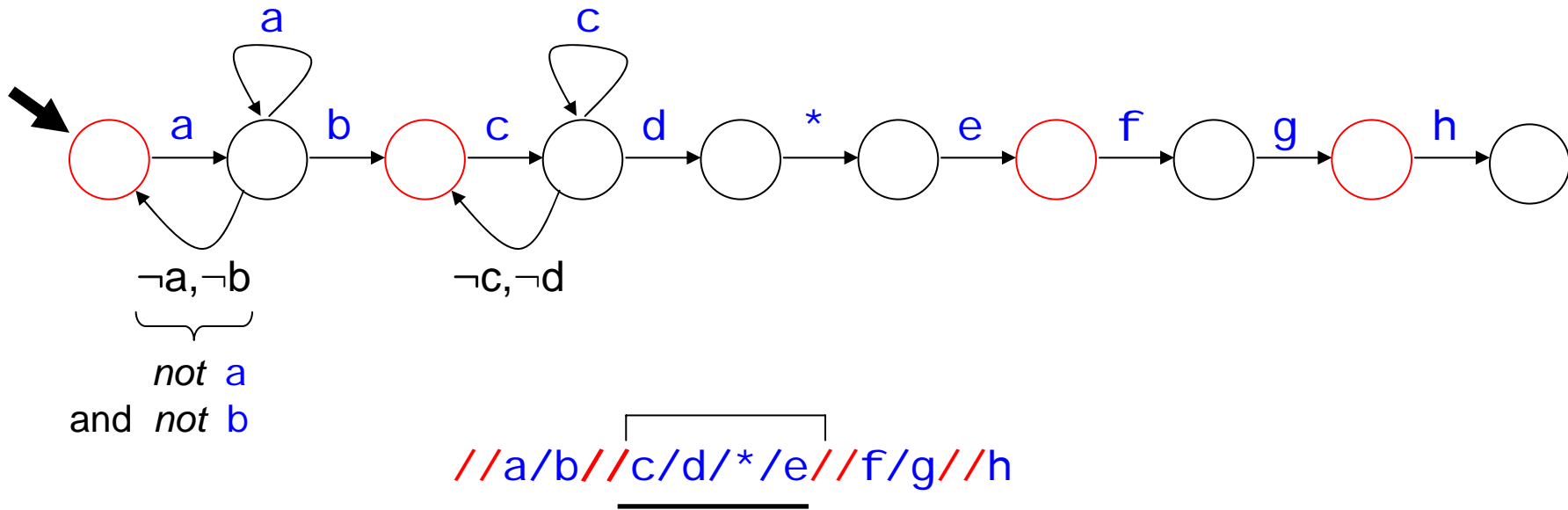
Deterministic Automaton runs in

→ **linear time** and

→ **constant space**

(plus *stack of states*, if we run  
on paths of a tree)

# 1. Automaton Approach



→ Same as before

jump back within /-sequence.  
AT MOST to the beginning of the last //

Use **KMP** within /-sequence.

For \*'s: build several **KMP**-tables.

## Recall

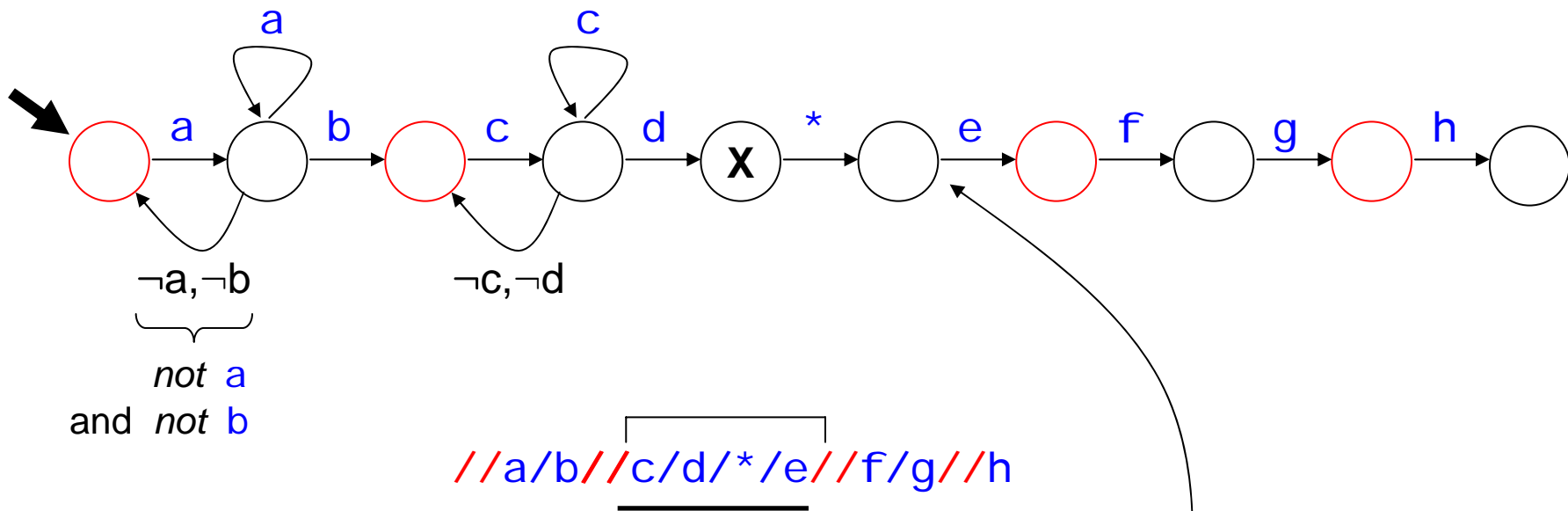
Deterministic Automaton runs in

→ **linear time** and

→ **constant space**

(plus *stack of states*, if we run  
on paths of a tree)

# 1. Automaton Approach



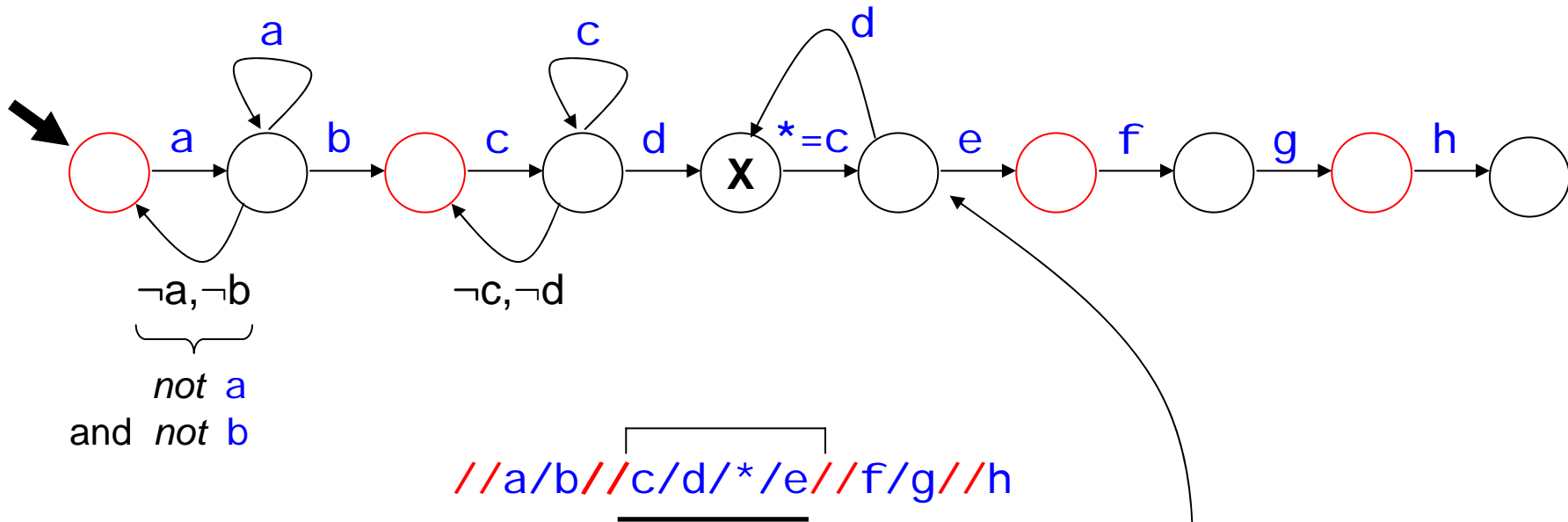
## Problem

If it is **NOT** an **e** here, then what to do??

E.g.,  
a b c d c d

We should be in state **X**!

# 1. Automaton Approach



E.g.,  
a b c d c d

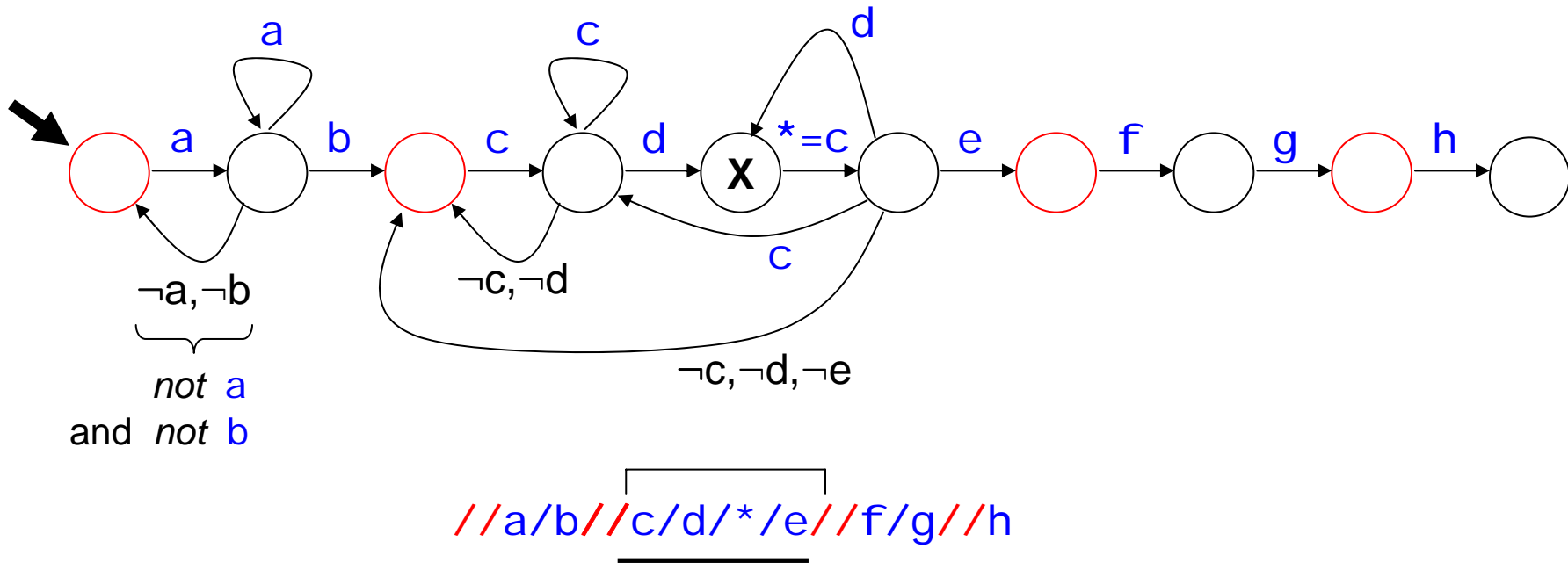
We should be in state **X**!

## Problem

If it is **NOT** an **e** here, then what to do??

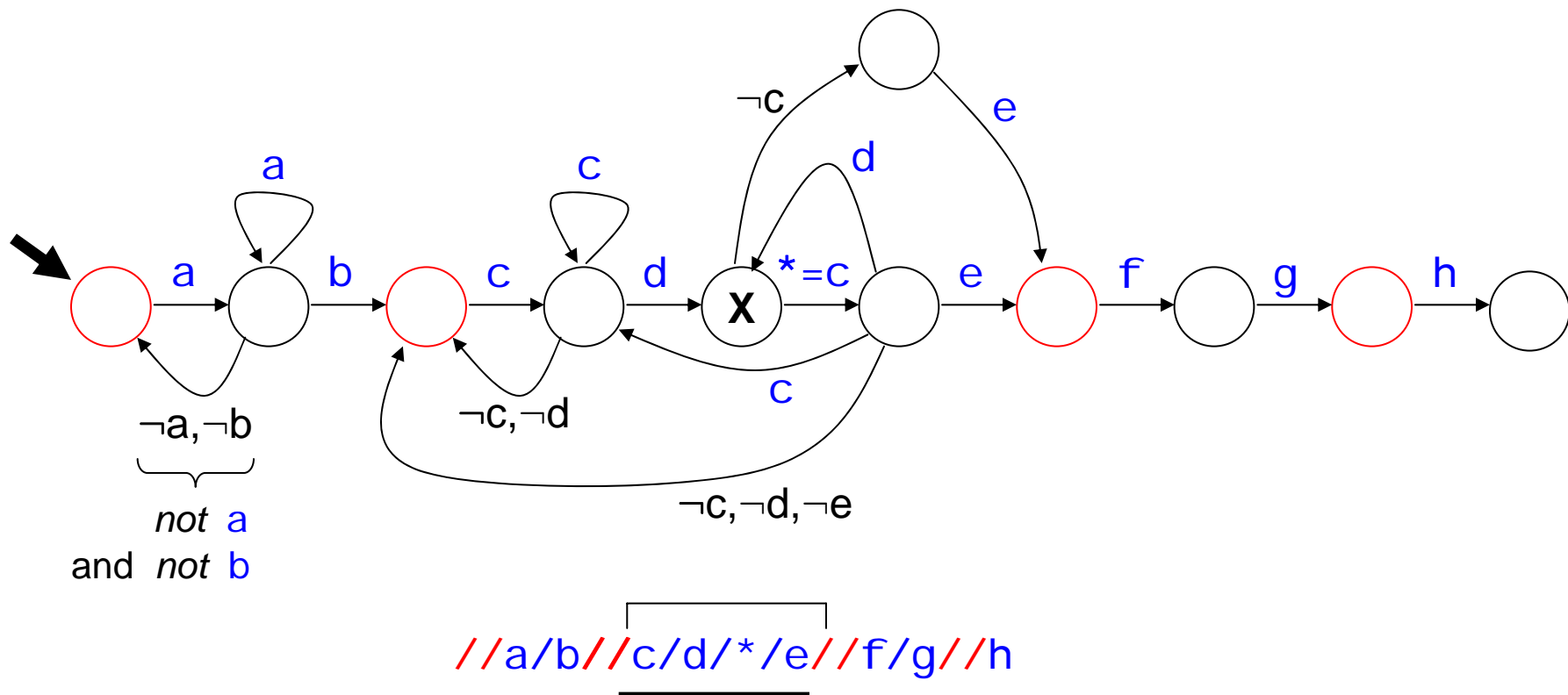
➔ Need to know what the **\*** was!!

# 1. Automaton Approach

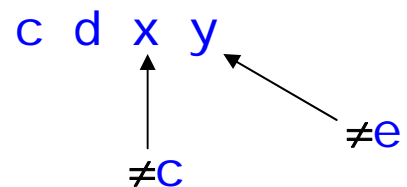


\*=? Which other letters need to be considered?

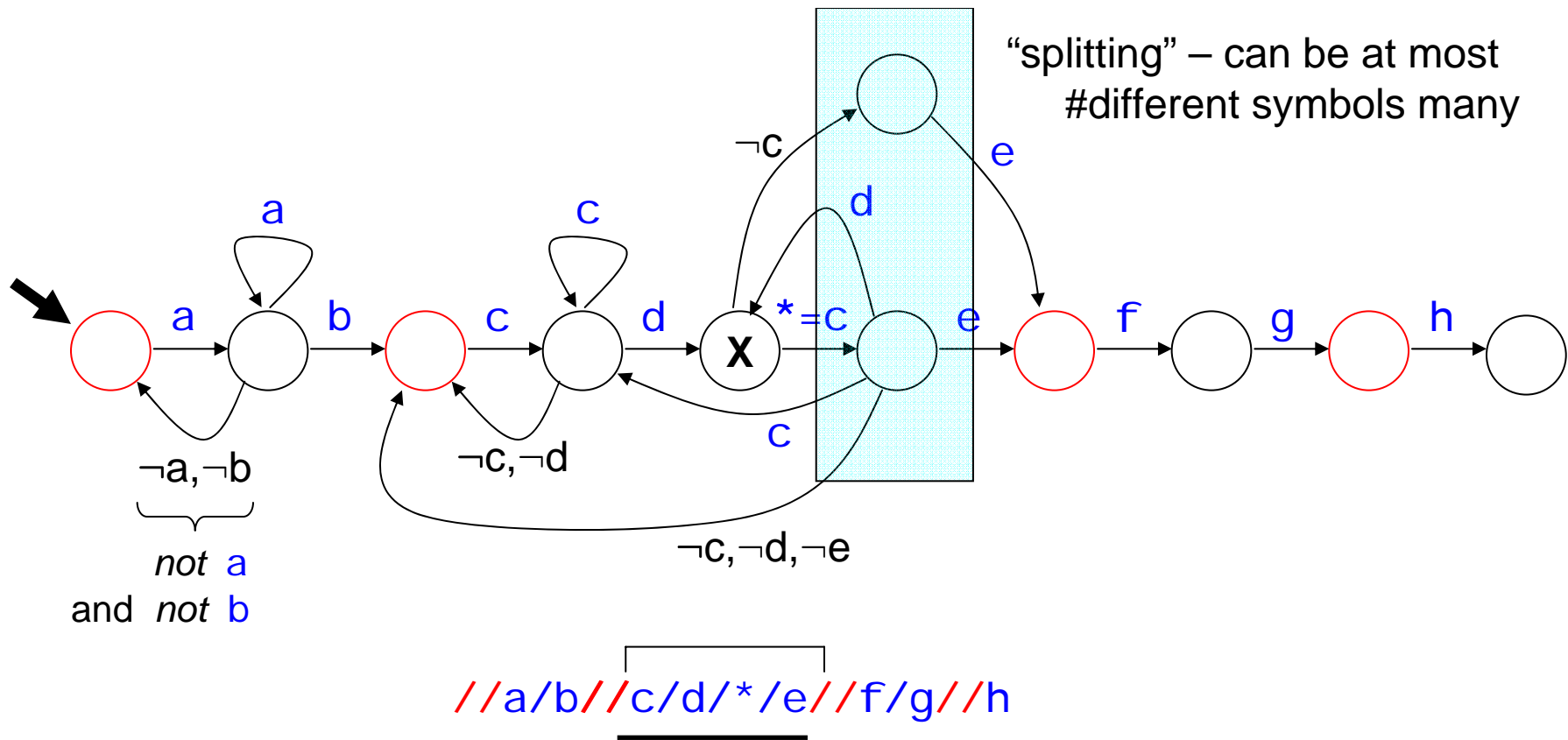
c d x y  
 $\uparrow$   $\nwarrow$   
 $\neq c$   $\neq e$



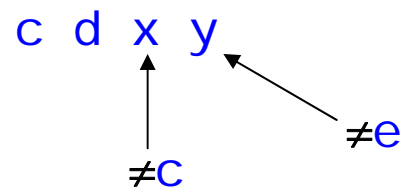
$*=?$  Which other letters need to be considered?



→ for  $x \neq c$ , not important what  $x$  is  
 → only  $x = c / x \neq c$  matters

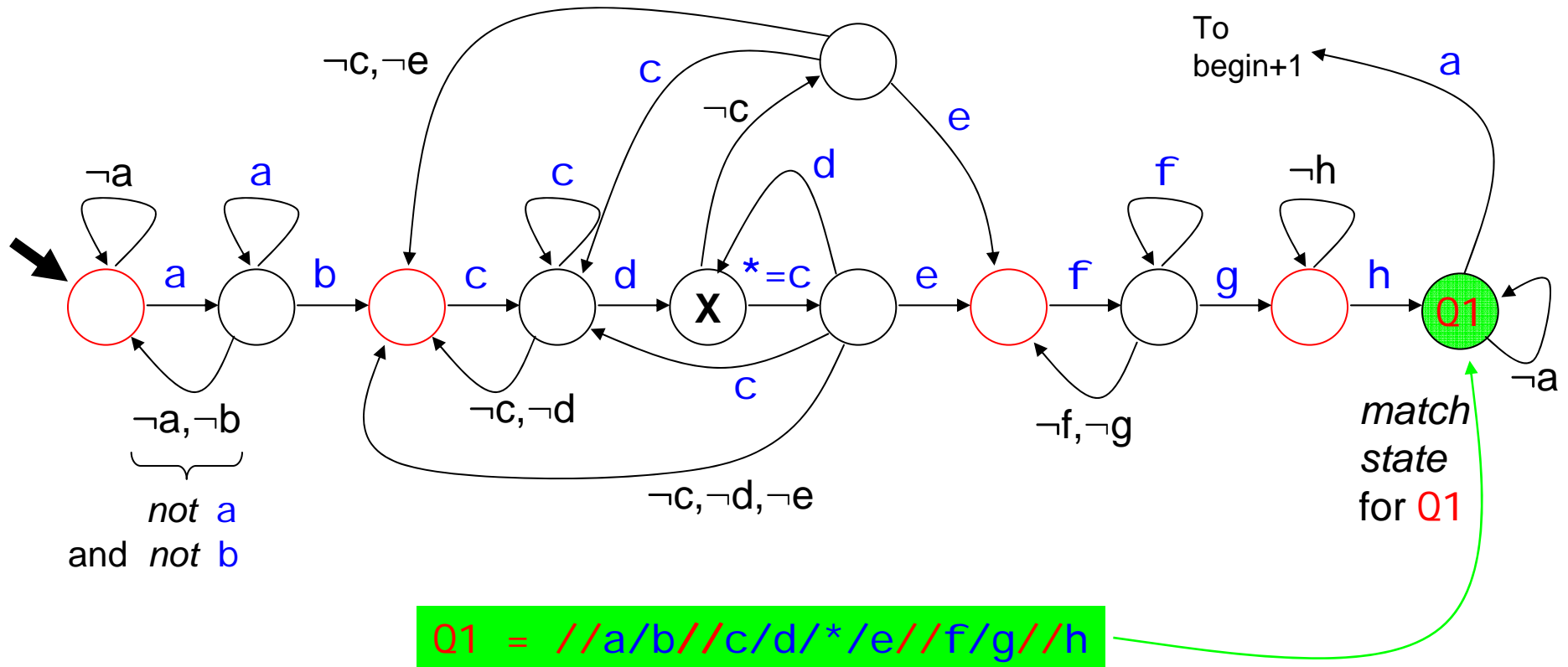


$\ast=?$  Which other letters need to be considered?



→ for  $x \neq c$ , not important what  $x$  is  
 → only  $x=c$  /  $x \neq c$  matters





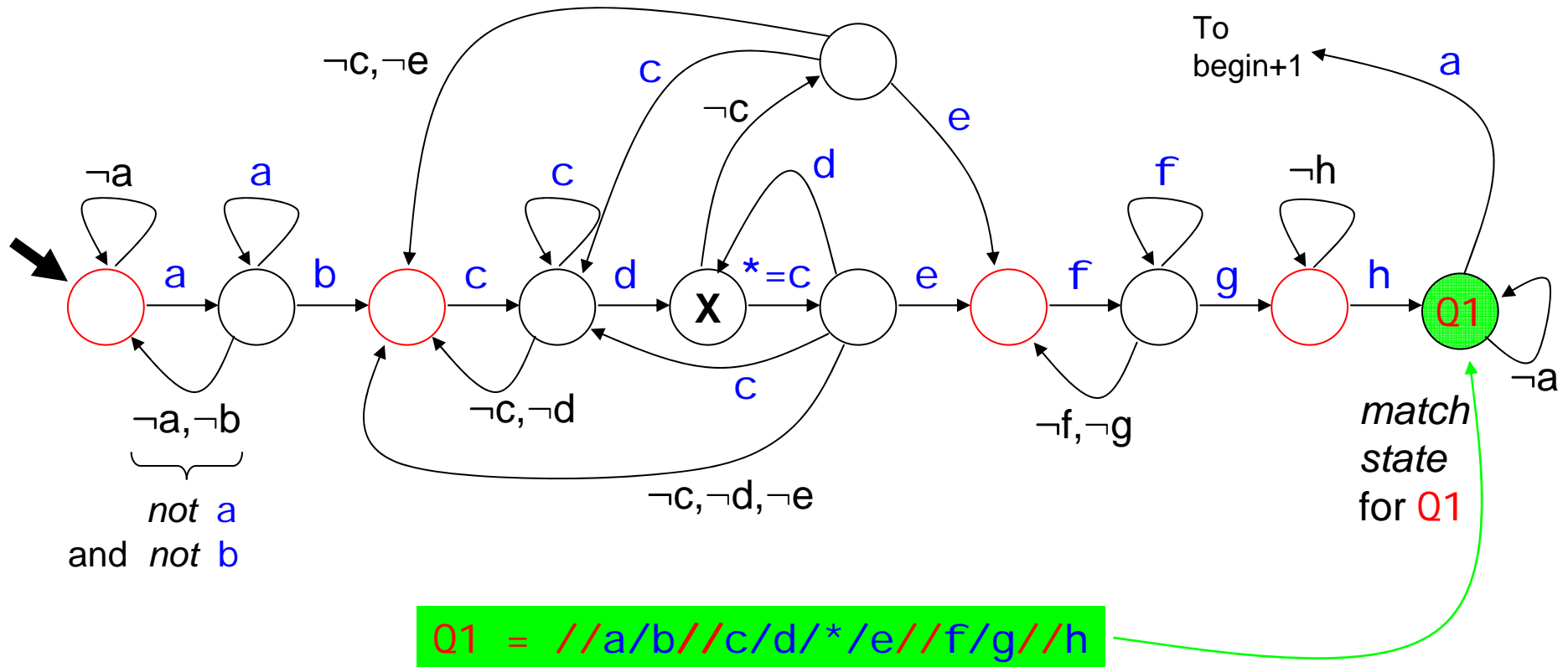
$*=?$  Which other letters need to be considered?

c d x y

↑  
≠c

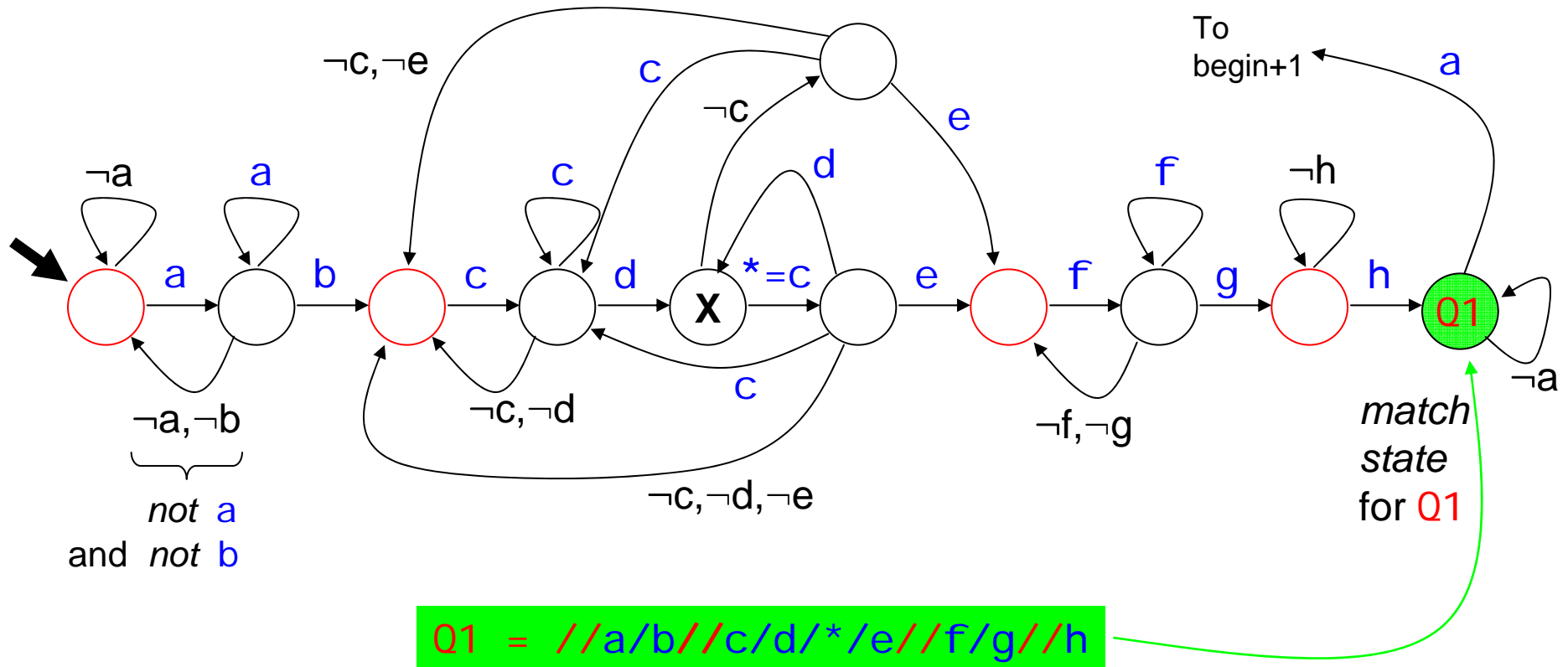
↖  
≠e

→ for  $x \neq c$ , not important what x is  
 → only  $x=c$  /  $x \neq c$  matters



Advantage of automata:

→ can be *combined* to evaluate MANY queries "in parallel".

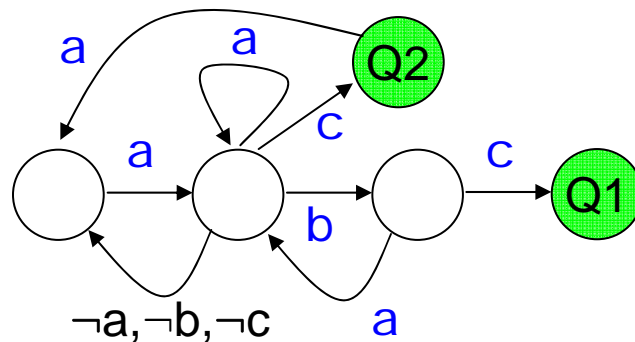


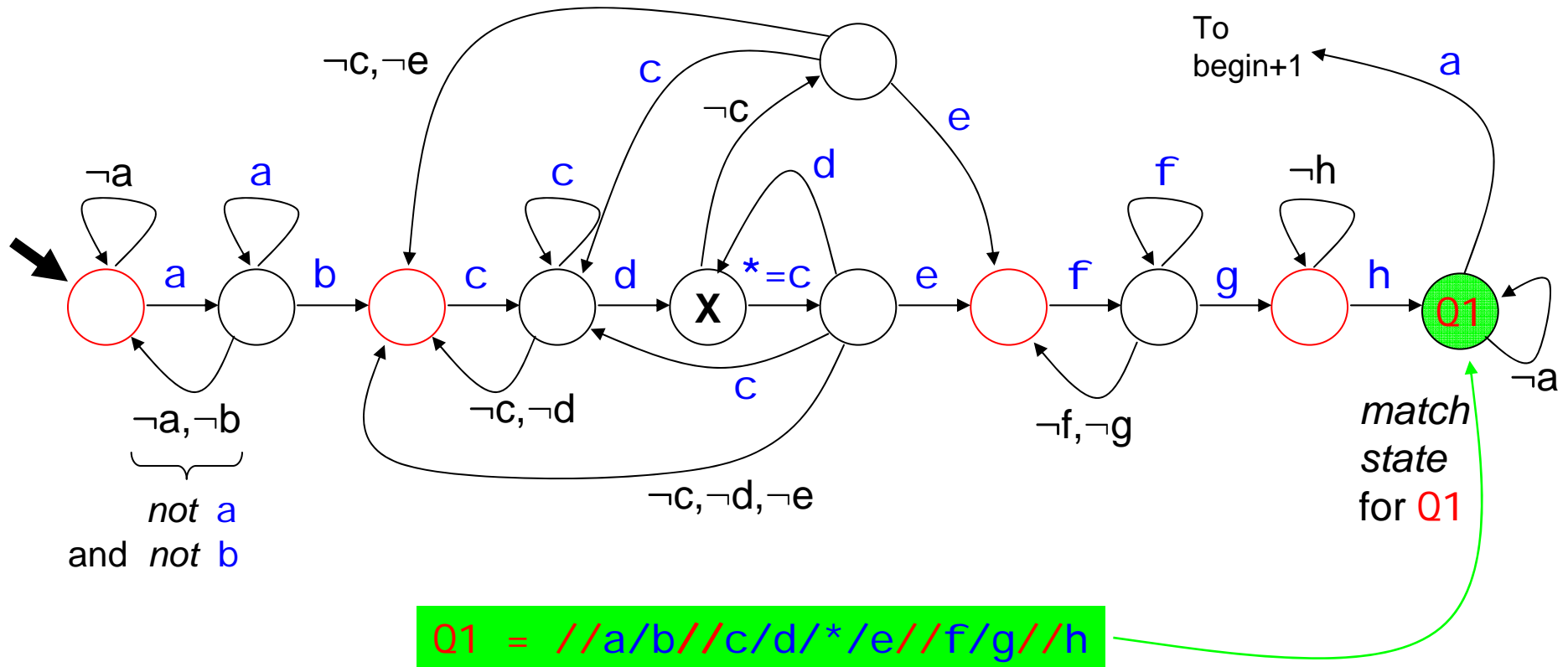
Advantage of automata:

→ can be *combined* to evaluate MANY queries “in parallel”.

Q1=//a/b/c

Q2=//a/c



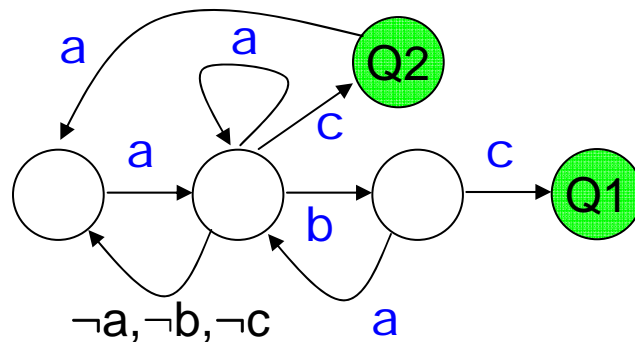


Advantage of automata:

→ can be *combined* to evaluate MANY queries “in parallel”.

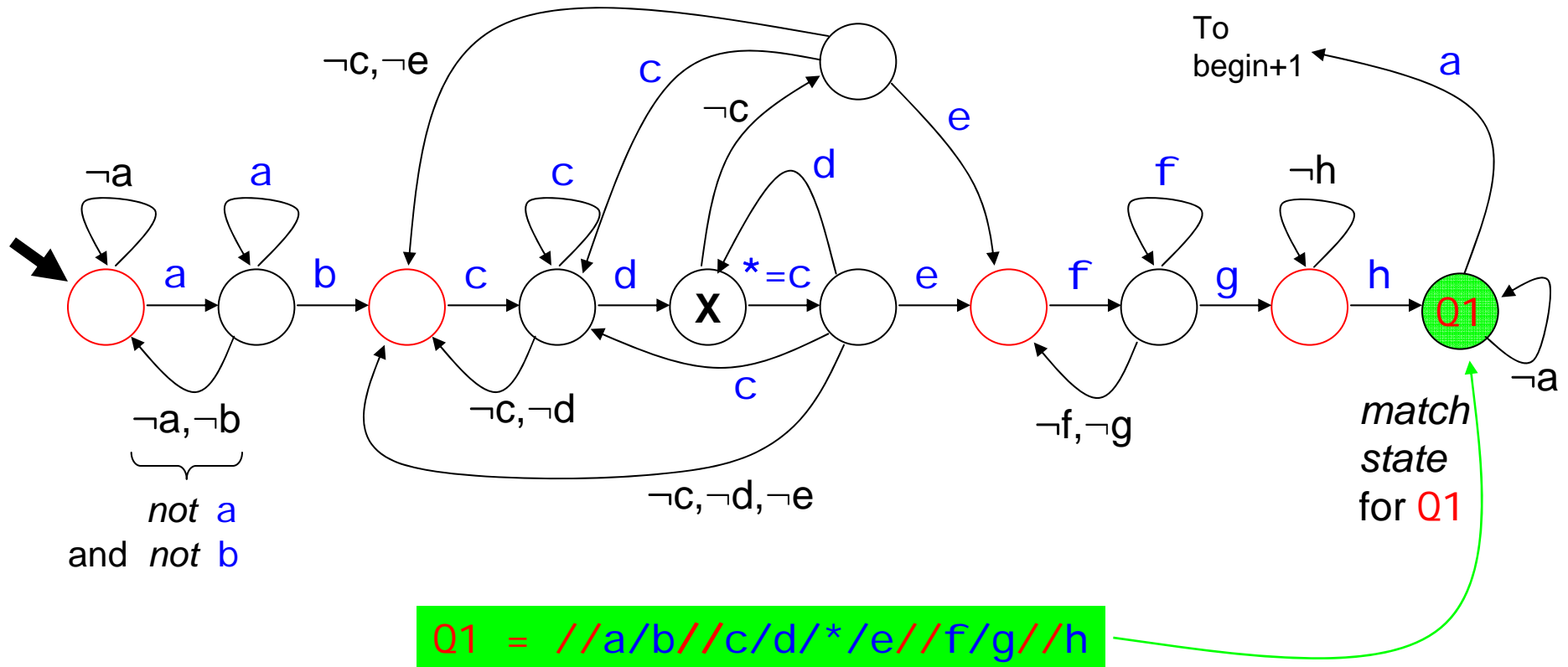
Q1=//a/b/c

Q2=//a/c



## Questions

1. Which transition is WRONG?

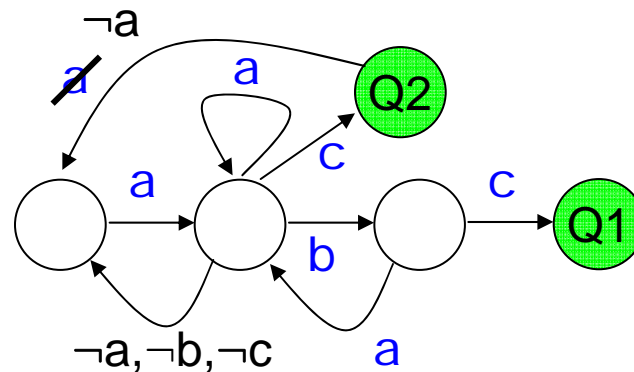


Advantage of automata:

→ can be *combined* to evaluate MANY queries “in parallel”.

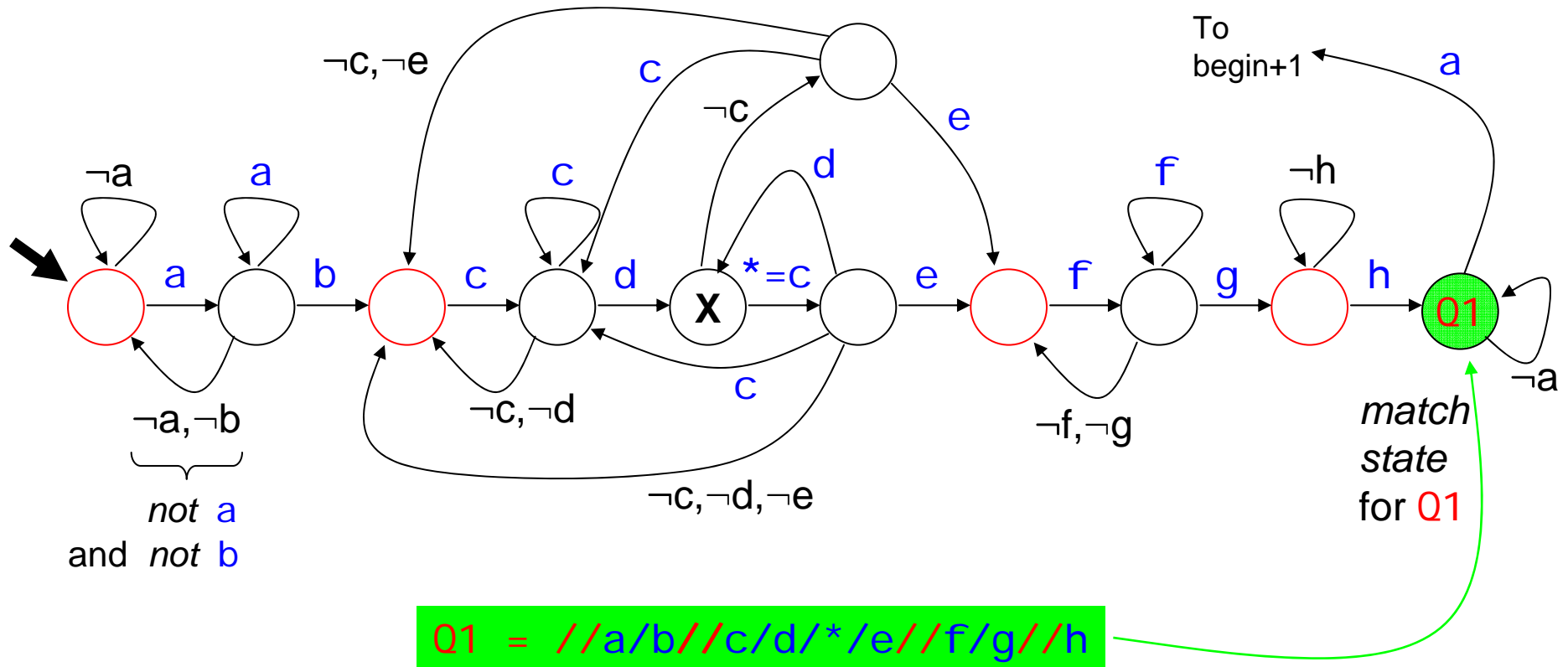
Q1=//a/b/c

Q2=//a/c



## Questions

1. Which transition is WRONG?
2. How many transitions are missing?

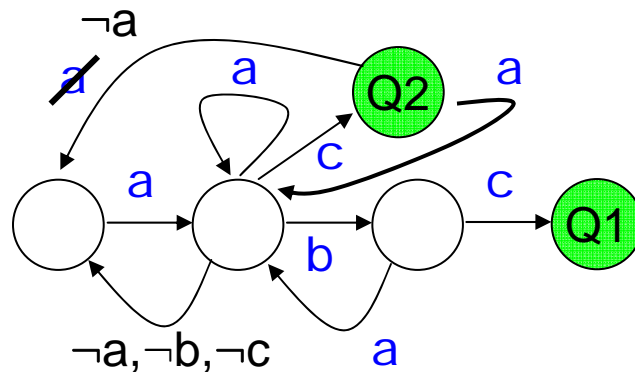


Advantage of automata:

→ can be *combined* to evaluate MANY queries “in parallel”.

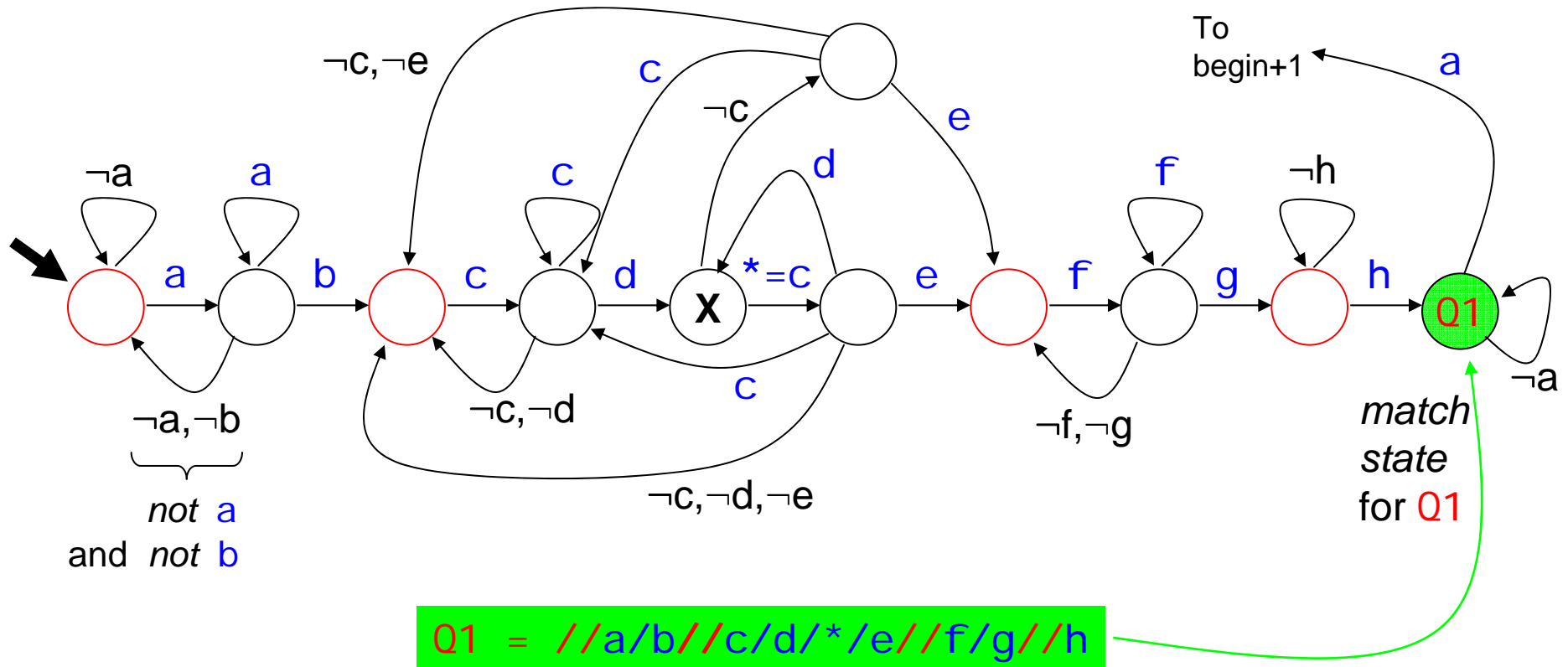
Q1=//a/b/c

Q2=//a/c



## Questions

1. Which transition is WRONG?
2. How many transitions are missing?

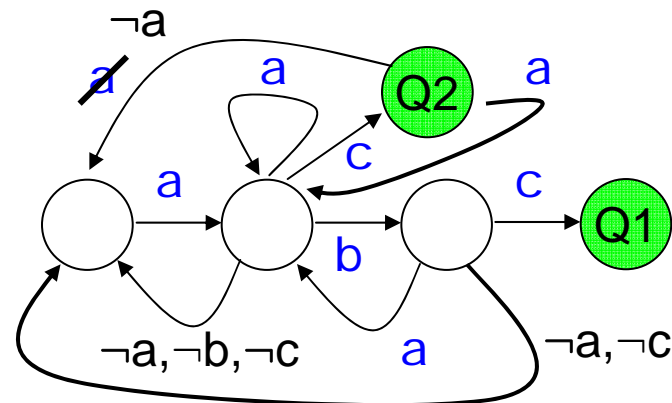


Advantage of automata:

→ can be *combined* to evaluate MANY queries “in parallel”.

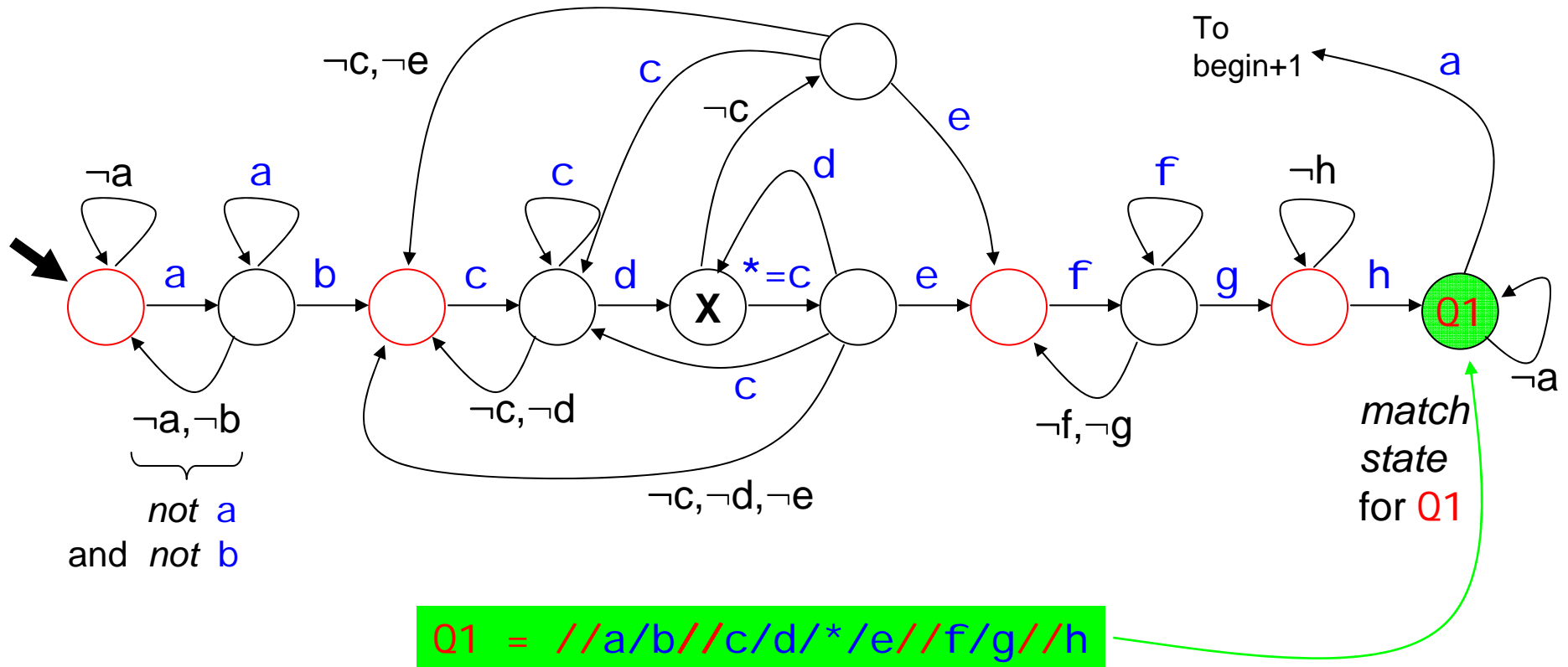
Q1=//a/b/c

Q2=//a/c



## Questions

1. Which transition is WRONG?
2. How many transitions are missing?

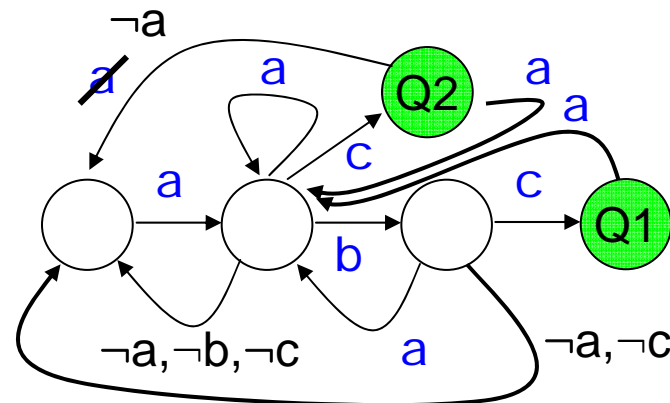


Advantage of automata:

→ can be *combined* to evaluate MANY queries “in parallel”.

Q1=//a/b/c

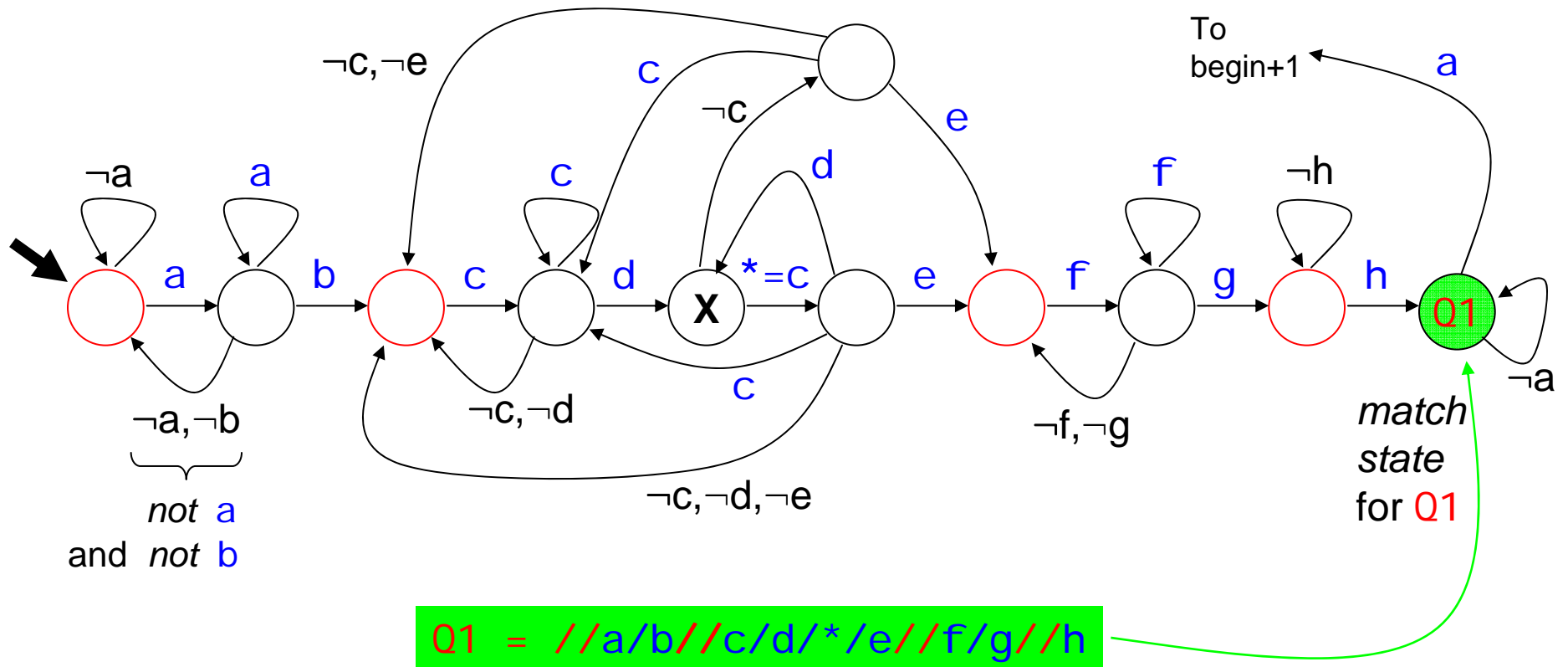
Q2=//a/c



## Questions

1. Which transition is WRONG?
2. How many transitions are missing?



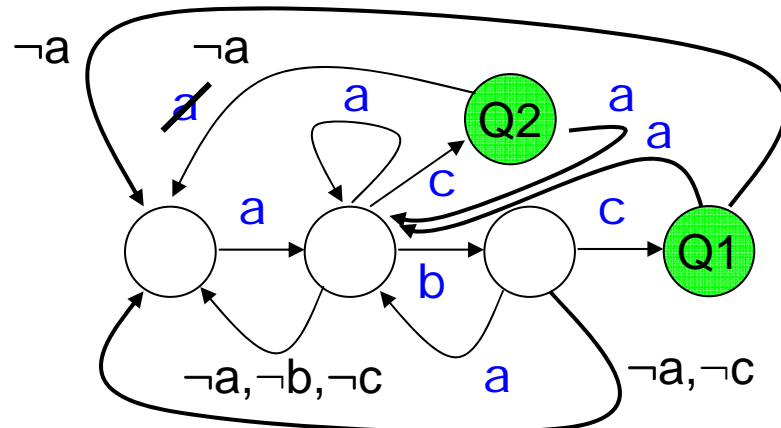


Advantage of automata:

→ can be *combined* to evaluate MANY queries “in parallel”.

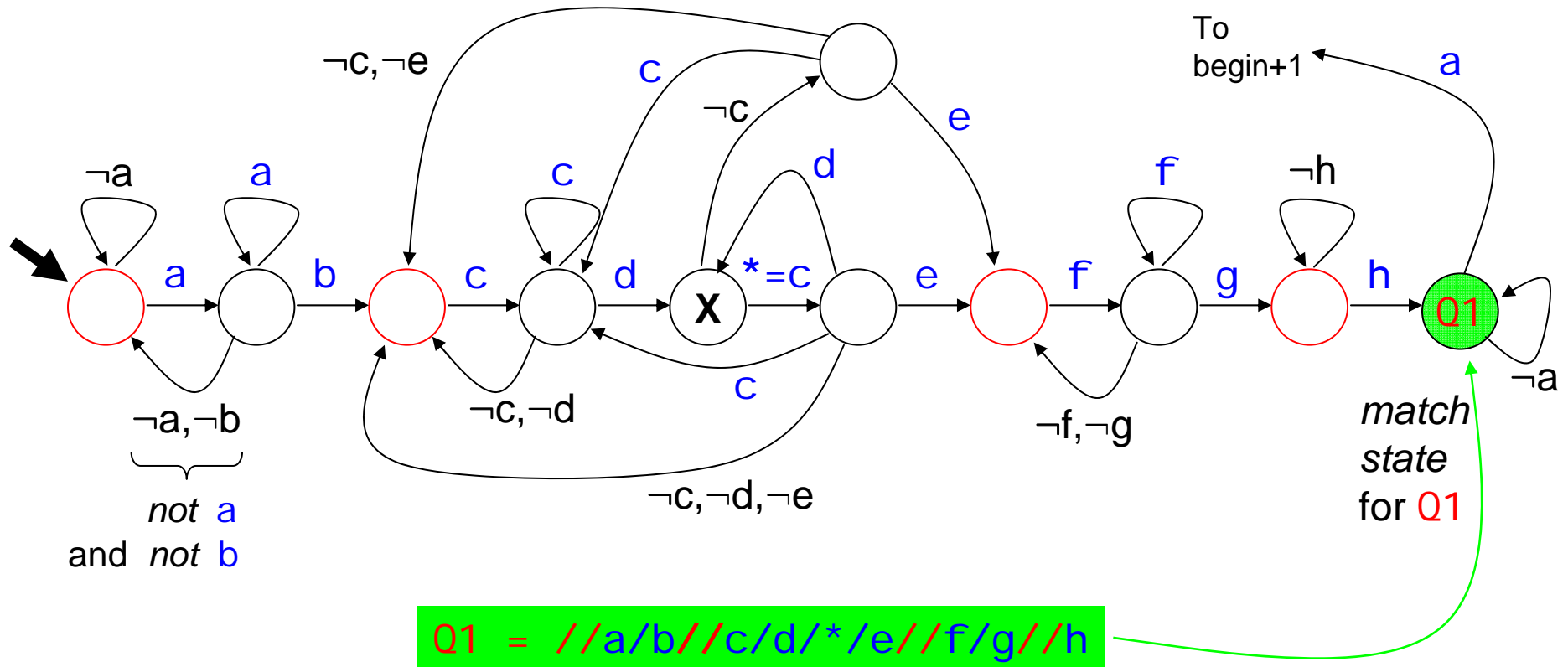
Q1=//a/b/c

Q2=//a/c



## Questions

1. Which transition is WRONG?
2. How many transitions are missing?

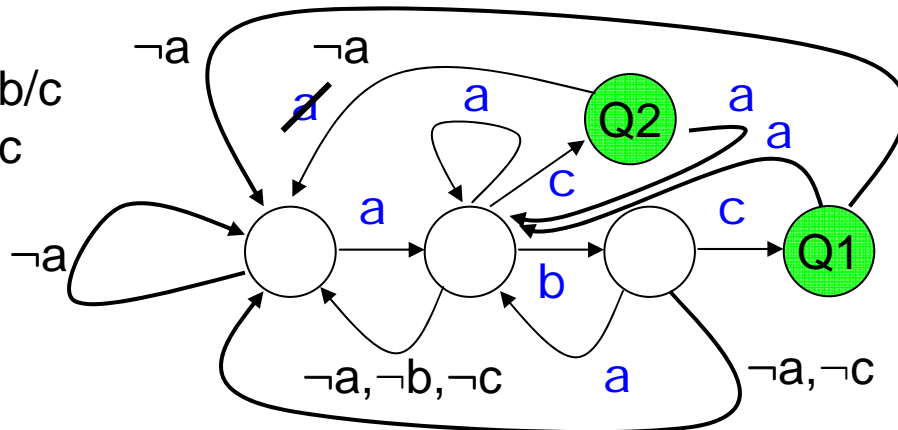


Advantage of automata:

→ can be *combined* to evaluate MANY queries “in parallel”.

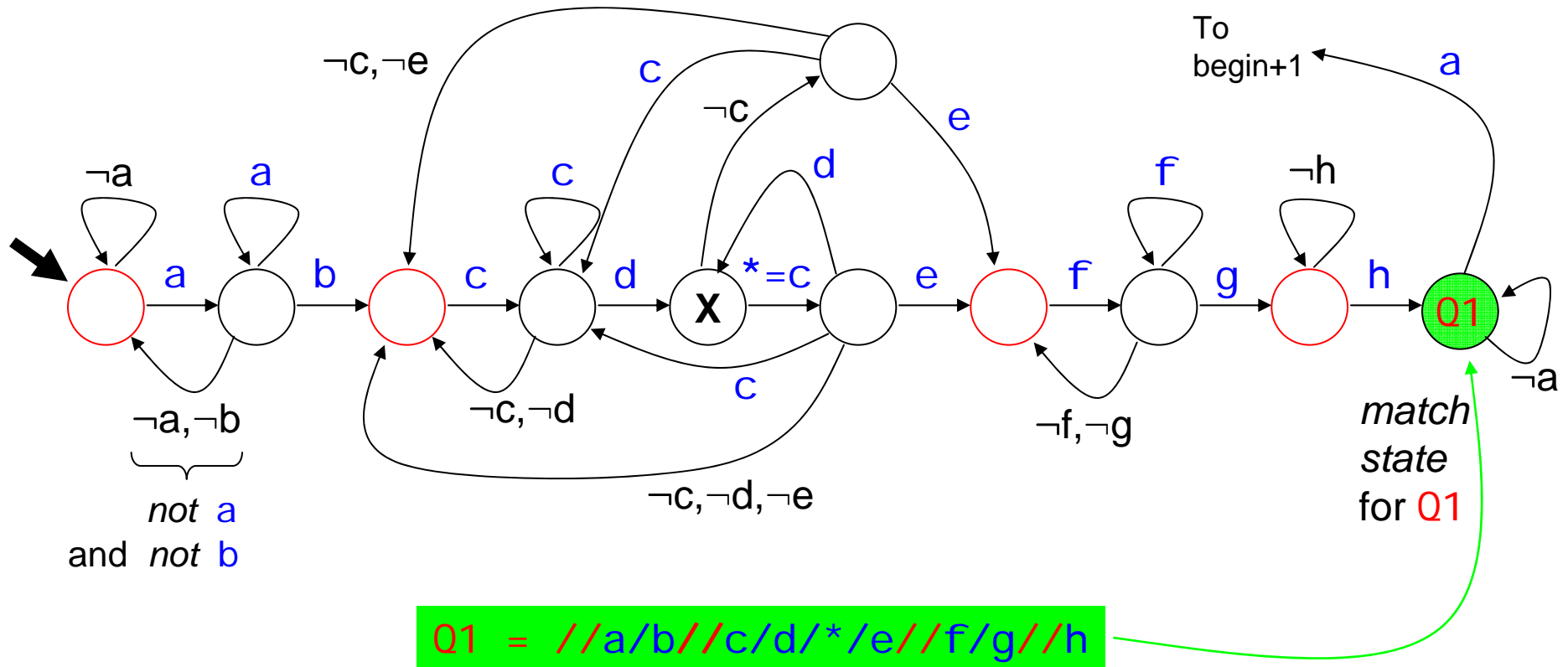
Q1=//a/b/c

Q2=//a/c



## Questions

1. Which transition is WRONG?
2. How many transitions are missing?

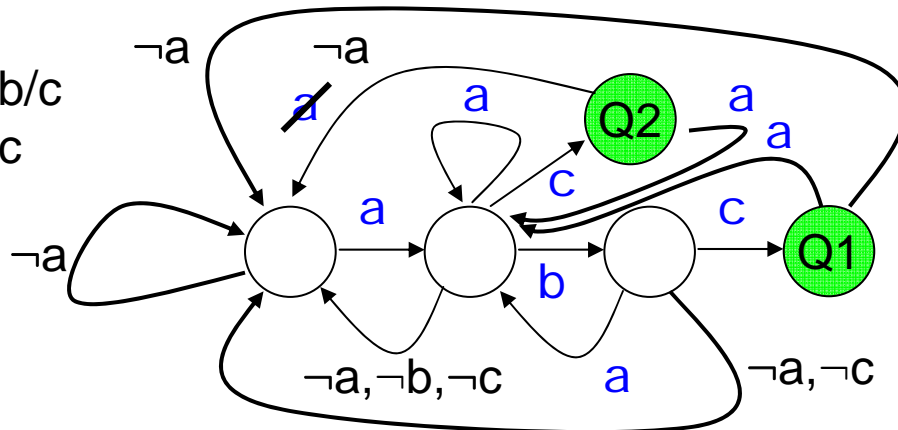


Advantage of automata:

→ can be *combined* to evaluate MANY queries “in parallel”.

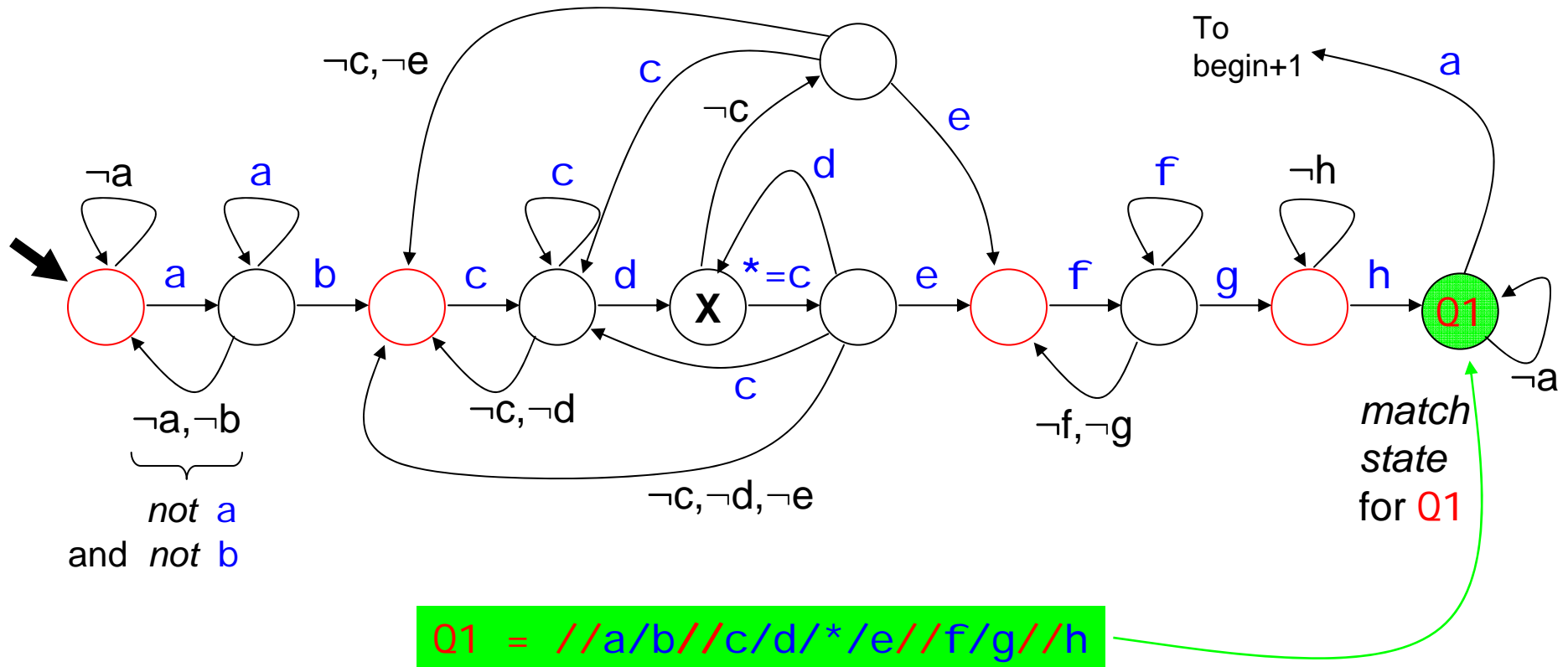
Q1=//a/b/c

Q2=//a/c



## Questions

1. Which transition is WRONG?
  2. How many transitions are missing?
- **5** missing?

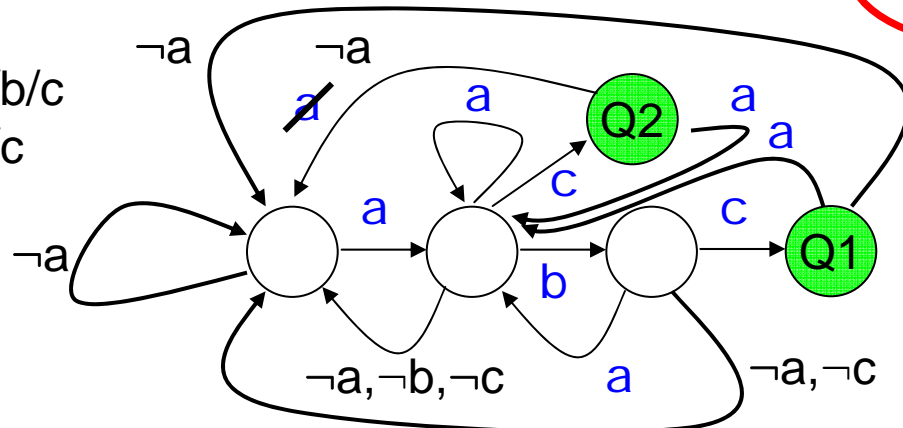


Advantage of automata:

→ can be *combined* to evaluate MANY queries “in parallel”.

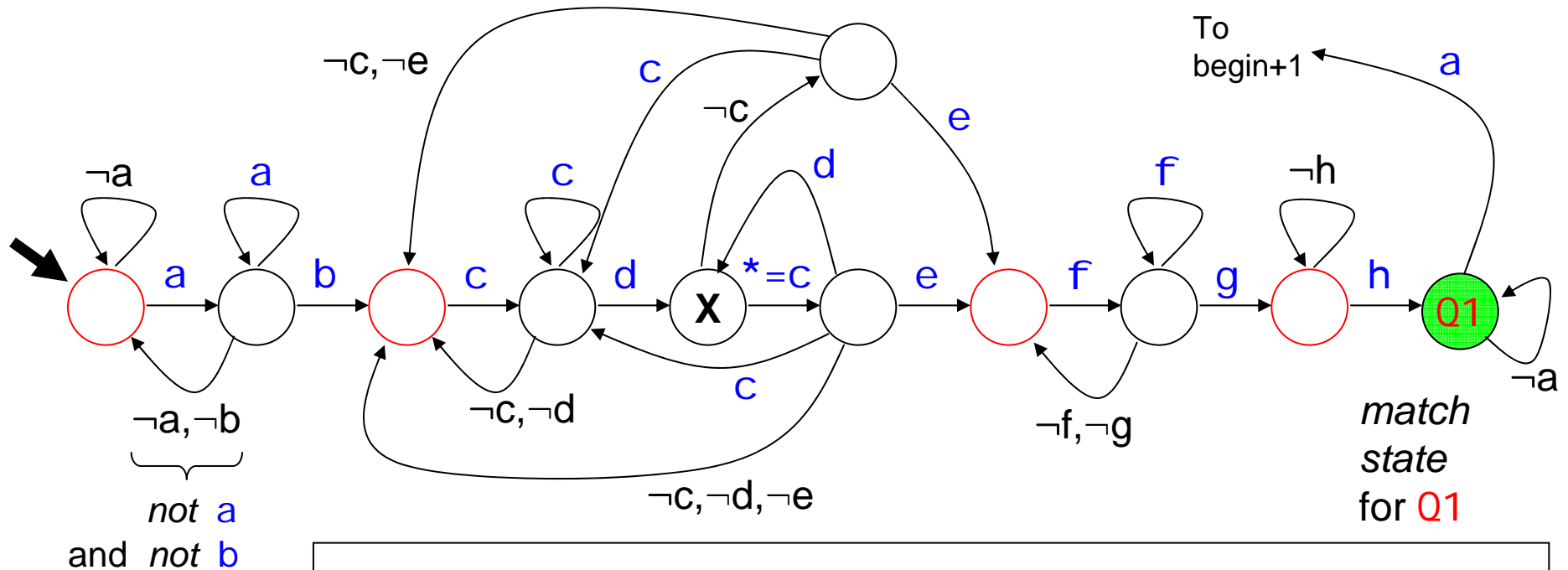
$Q1 = //a/b/c$

$Q2 = //a/c$



ONE look-up  
per node!

Combined automaton:  
 $SIZE \leq SIZE(A1) \times SIZE(A2)$



### Question

What is  $SIZE(A1)$  wrt size of  $Q1$ ?

Take

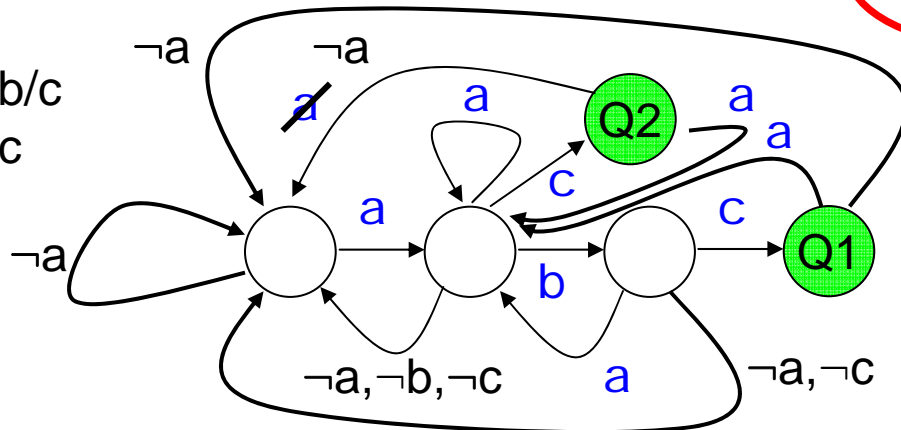
- (1)  $SIZE(A) = \#states$
- (2)  $SIZE(A) = \#transitions$

Advantage of automata:

→ can be *combined* to evaluate MANY queries "in parallel".

$Q1 = //a/b/c$

$Q2 = //a/c$



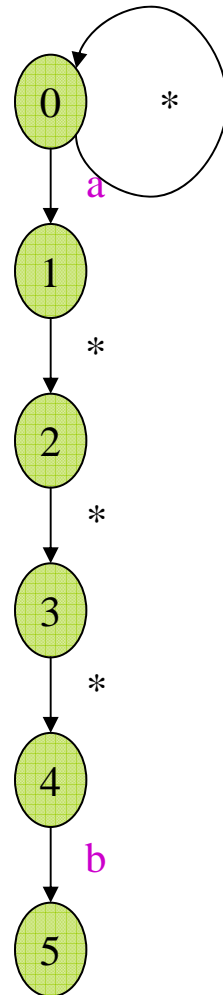
Combined automaton:  
 $SIZE \leq SIZE(A1) \times SIZE(A2)$

### 3. The Size of the DFA

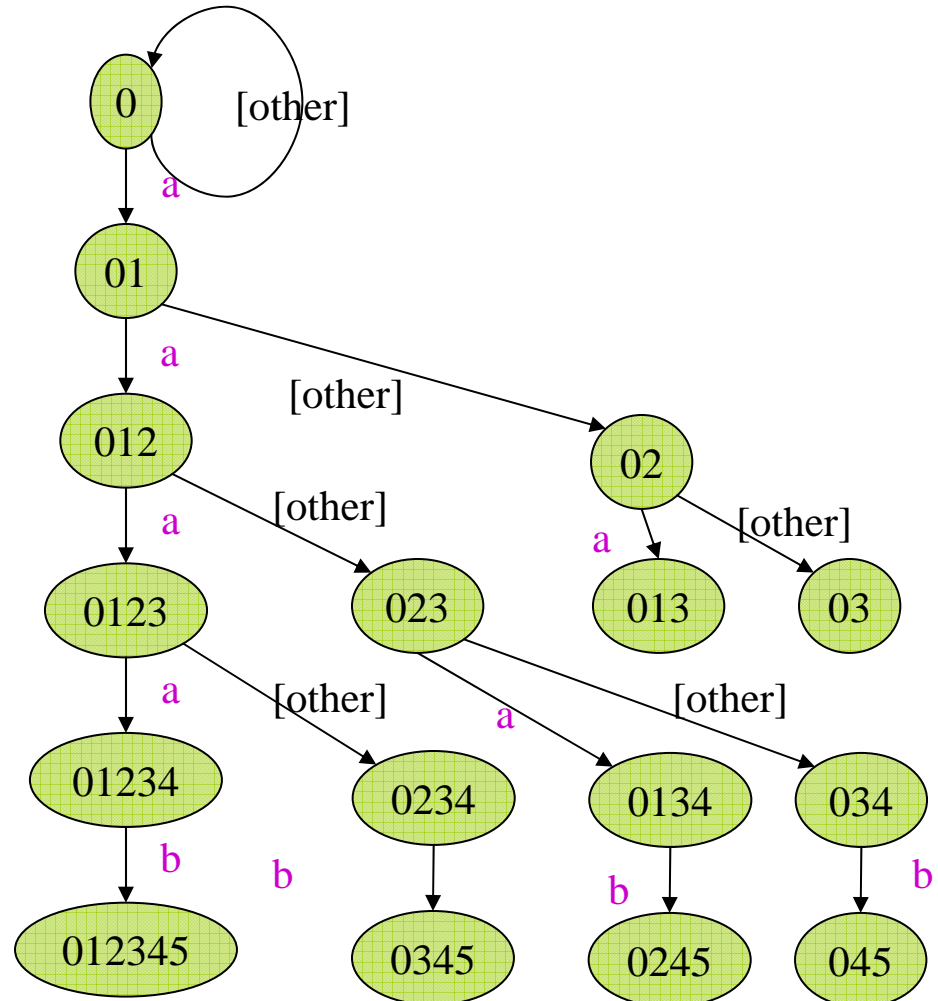
//a/\*\*/\*\*/\*\*b

Size of DFA =  
exponential in \*'s  
(not a real concern)

NFA



DFA (fragment, and without back edges)



### 3. The Size of the DFA

**Theorem** [GMOS'02] The number of states in the DFA for one linear XPath expression  $P$  is at most:

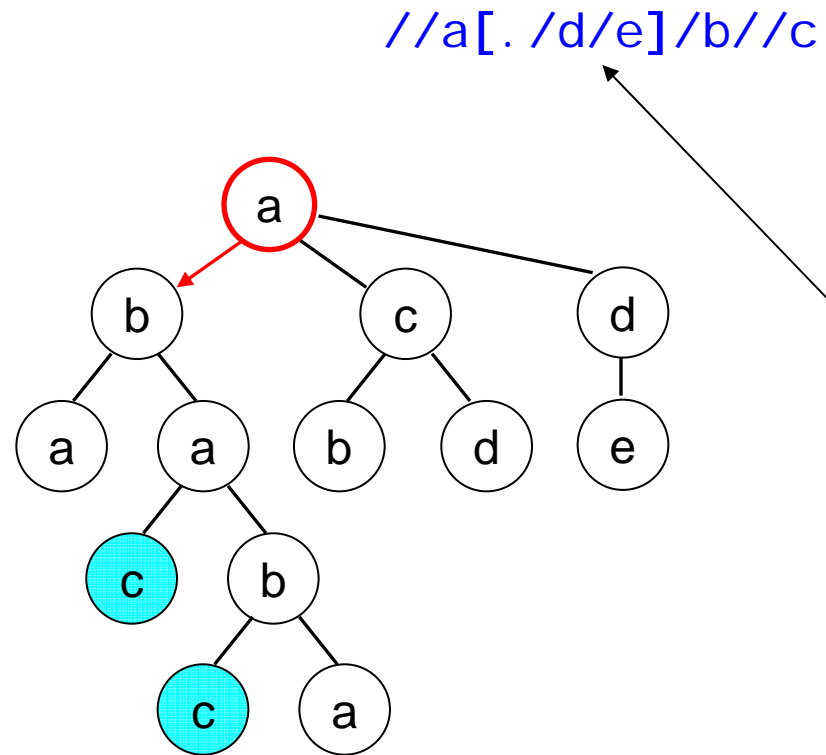
$$k + |P| k s^m$$

$k$  = number of //

$s$  = size of the alphabet (number of tags)

$m$  = max number of \* between two consecutive //

## How to deal with filters?

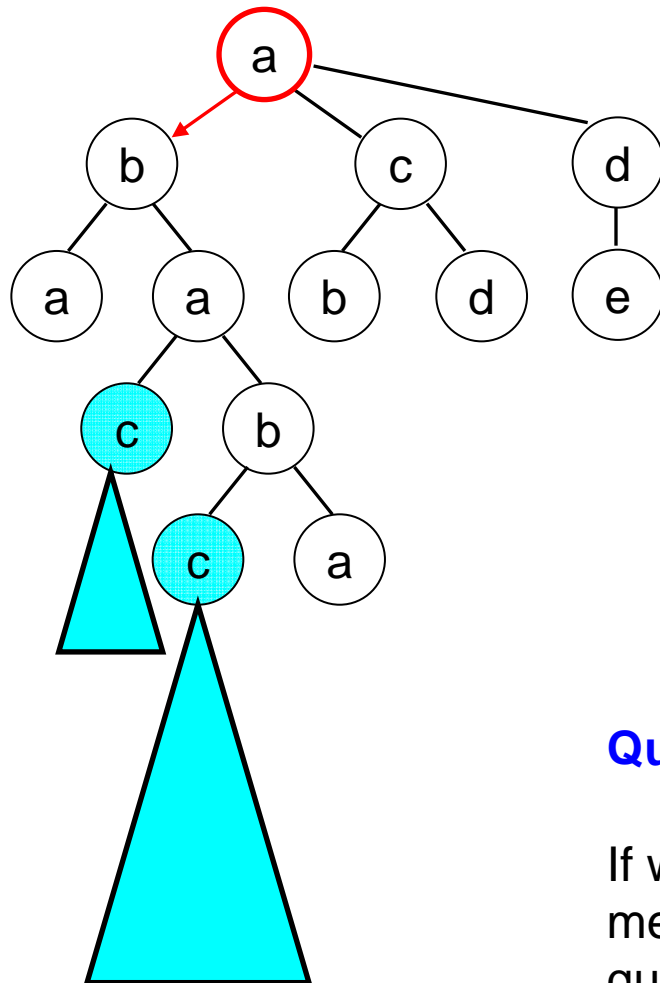


When we meet the c-nodes  
(in pre order traversal)  
we do not know yet if the  
**filter** will evaluate to true.



How to deal with filters?

//a[. /d/e]/b//c



When we meet the c-nodes  
(in pre order traversal)  
we do not know yet if the  
**filter** will evaluate to true.

➔ We have to use *buffers*, as before.

However, now buffers may be **deleted**  
without being used.

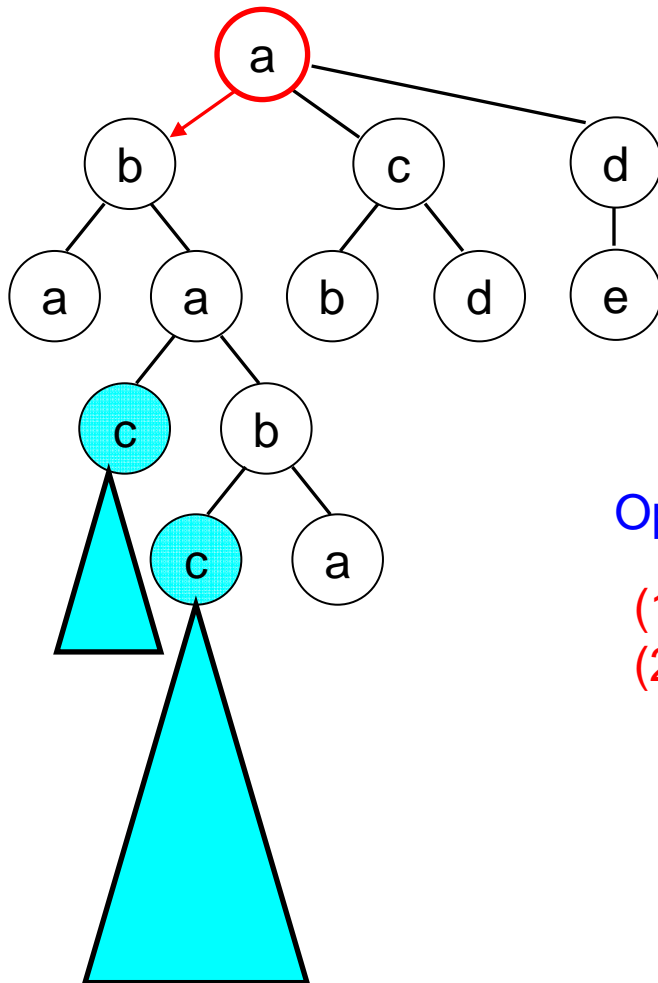
### Question

If we output **node ID's**, then how much  
memory is needed in the worst case for  
queries with filters?

Must be stored in memory

How to deal with filters?

//a[. /d/e]/b//c



➔ Size of largest documents that can be streamed in this way depends on

- #filters,
- sizes of (pre) selected trees,
- quality of (1), (2), etc..

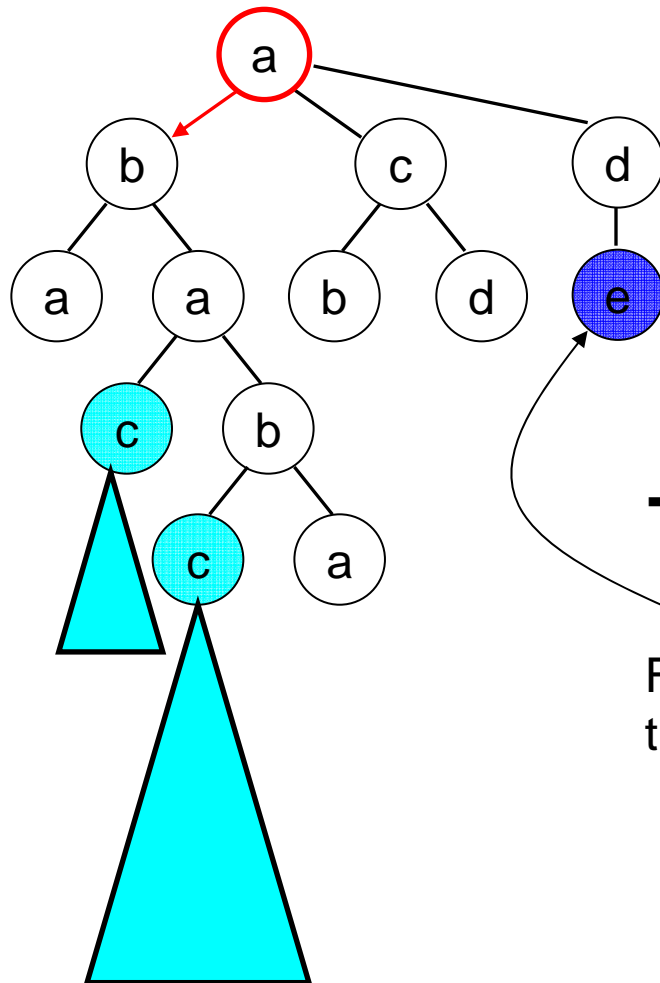
### Optimizations

- (1) Store potential match trees as DAGs
- (2) Release potential match trees as early as possible!

Must be stored in memory

How to deal with filters?

//a[. /d/e]/b//c



→ Size of largest documents that can be streamed in this way depends on

- #filters,
- sizes of (pre) selected trees,
- quality of (1), (2), etc..

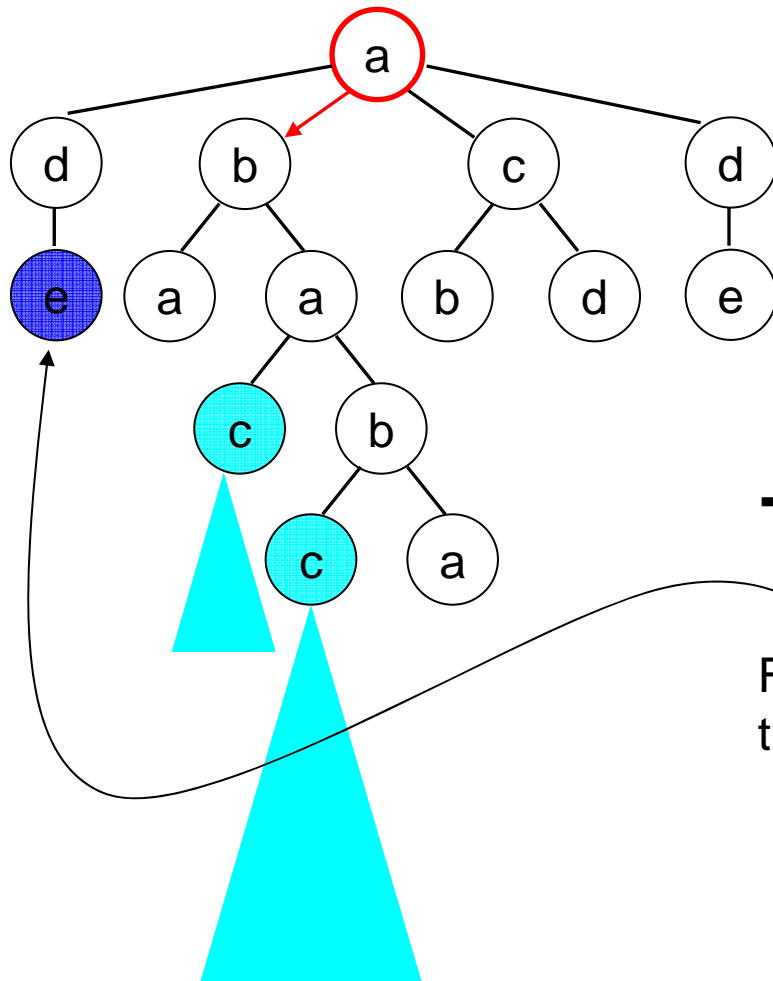
→ Release potential match trees  
*as early as possible!*

Find **earliest point** at which we know the filter is true.

Must be stored in memory

How to deal with filters?

//a[. /d/e]/b//c



→ Size of largest documents that can be streamed in this way depends on

- #filters,
- sizes of (pre) selected trees,
- quality of (1), (2), etc..

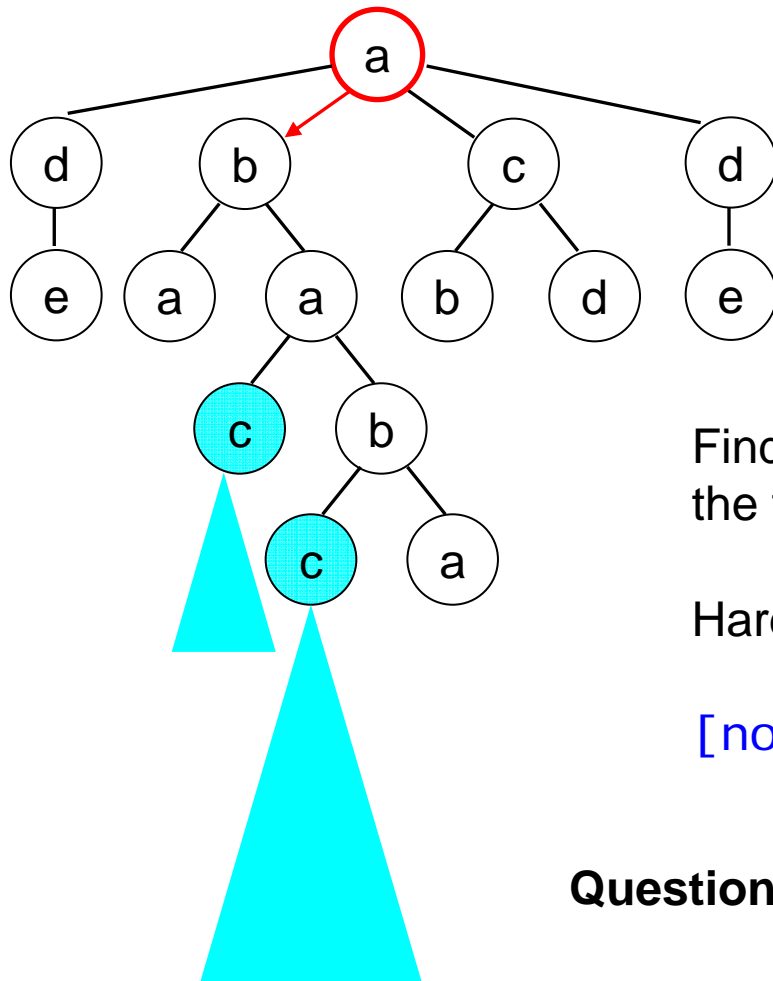
→ Release potential match trees  
*as early as possible!*

Find **earliest point** at which we know the filter is true.

No need to store. Stream! 😊

How to deal with filters?

`//a[. /d/e]/b//c`



➔ Size of largest documents that can be streamed in this way depends on

- #filters,
- sizes of (pre) selected trees,
- quality of (1), (2), etc..

Find **earliest point** at which we know the filter is true.

Harder for *Boolean combinations*:

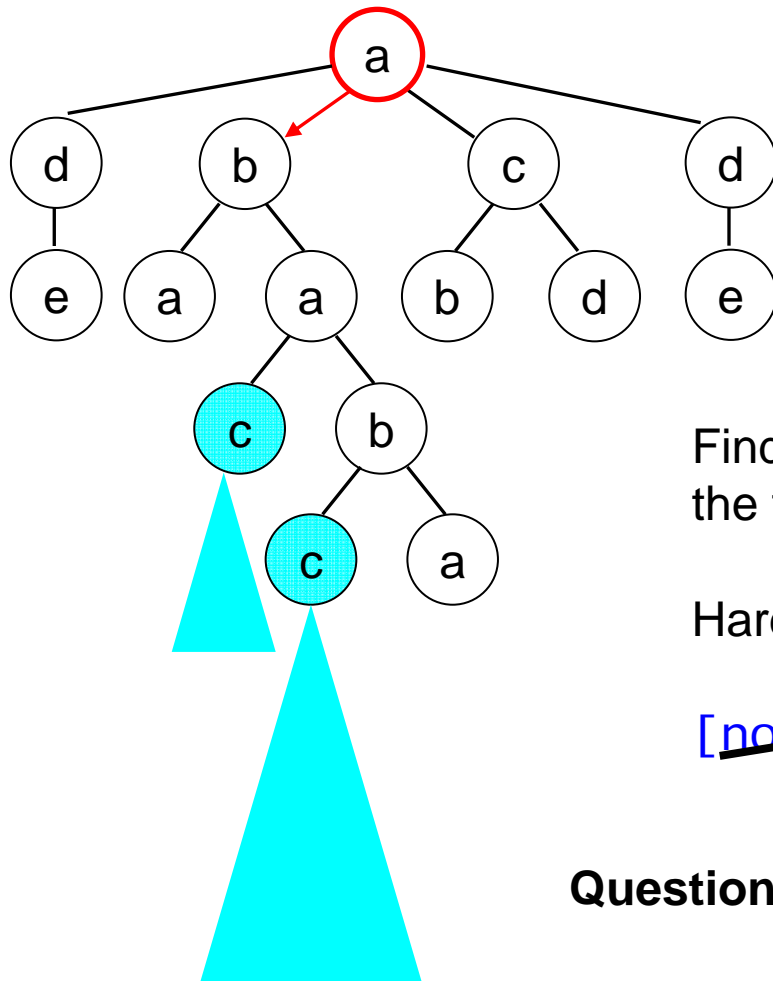
`[not(. /d/e) and (. /c/d or //b/c)]`

**Question** where is the **earliest point** for this filter?

No need to store. Stream! 😊

How to deal with filters?

`//a[. /d/e]/b//c`



→ Size of largest documents that can be streamed in this way depends on

- #filters,
- sizes of (pre) selected trees,
- quality of (1), (2), etc..

Find **earliest point** at which we know the filter is true.

Harder for *Boolean combinations*:

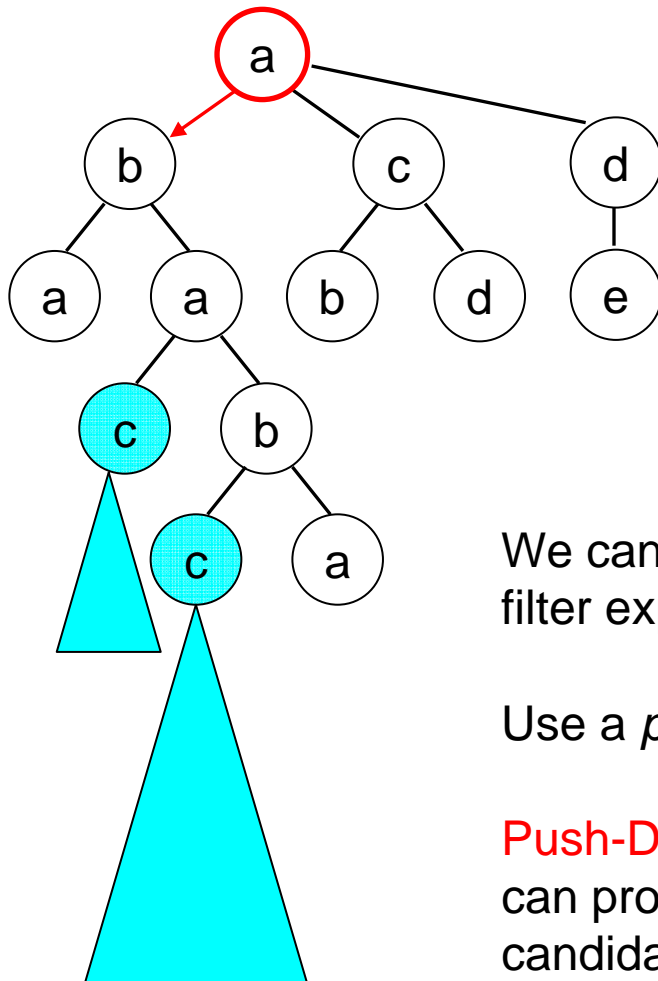
~~`[not(. /d/e) and (. /c/d or //b/c)]`~~

**Question** where is the **earliest point** for this filter?  
→ and now?

No need to store. Stream! 😊

How to deal with filters?

//a[. /d/e]/b//c



➔ Size of largest documents that can be streamed in this way depends on

- #filters,
- sizes of (pre) selected trees,
- quality of (1), (2), etc..

We can also construct automata for filter expressions!

Use a *push-down* for potential candidates.

**Push-Down Automaton**

can probably be designed so that it pops/outputs candidates *as early as possible*.

How to deal with filters?

`//a[. /d/e]/b//c`

Another Idea

Use **2-pass algorithm**: first (bottom-up) phase to mark subtrees with filter information.

Second (top-down) phase to determine match nodes.

Why is this interesting?

→ Fast main memory evaluation

→ Use disk as intermediate store (stream twice)



## 5. Streaming XPath Algorithms

- XFilter and YFilter [Altinel and Franklin 00] [Diao et al 02]
- X-scan [Ives, Levy, and Weld 00]
- XMLTK [Avila-Campillo et al 02]
- XTrie [Chan et al 02]
- SPEX [Olteanu, Kiesling, and Bry 03]
- Lazy DFAs [Green et al 03]
- The XPush Machine [Gupta and Suciu 03]
- XSQ [Peng and Chawathe 03]
- TurboXPath [Josifovski, Fontoura, and Barta 04]
- ...

## 5. Streaming XPath Algorithms

Some following slides are by T. Amagasa and M Onizuka (Japan)

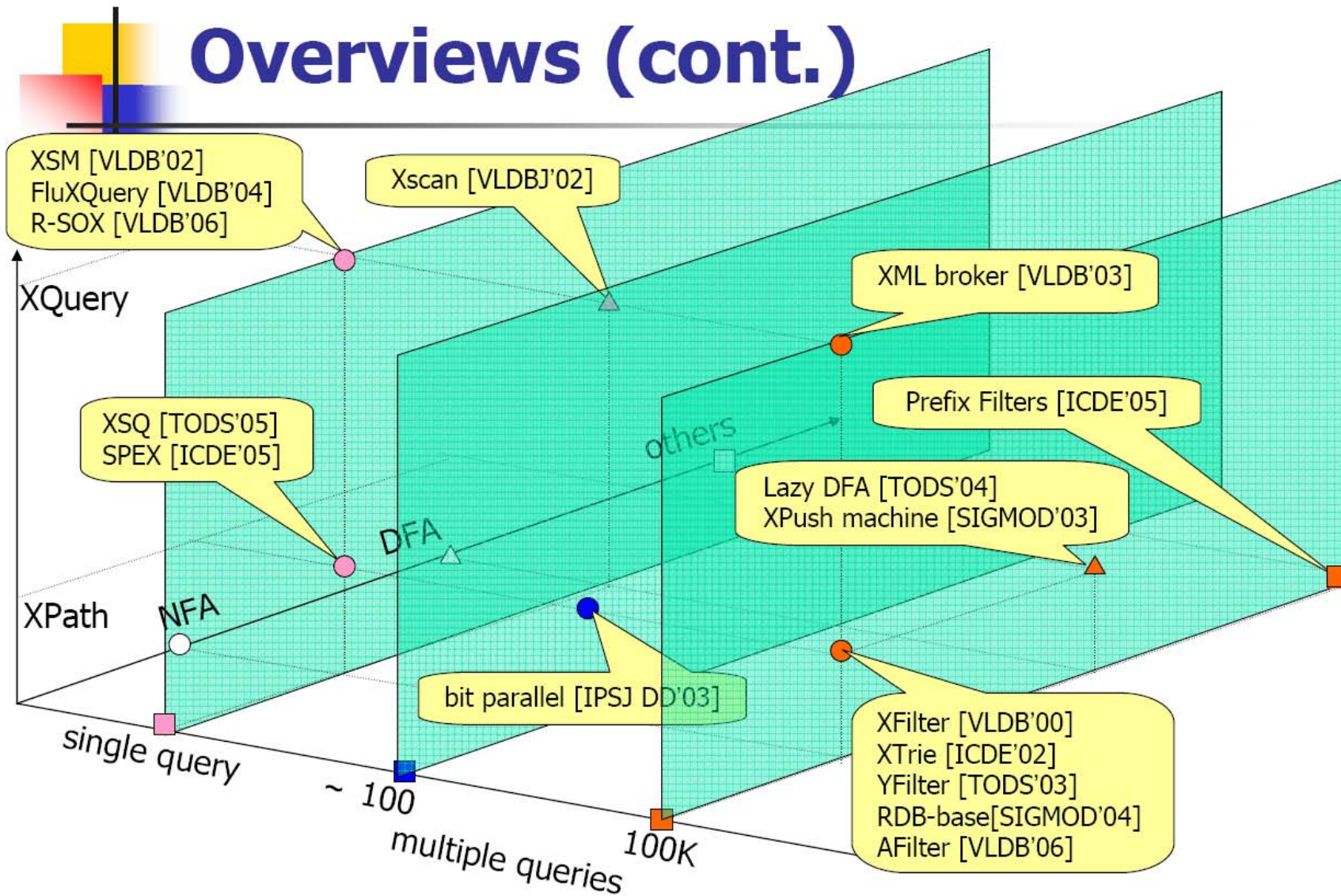
See [http://www.dasfaa07.ait.ac.th/DASFAA2007\\_tutorial3\\_1.pdf](http://www.dasfaa07.ait.ac.th/DASFAA2007_tutorial3_1.pdf)

Most of the following slides are by Dan Suciu (the above slides are  
Actually also based on Suciu's slides ☺ )

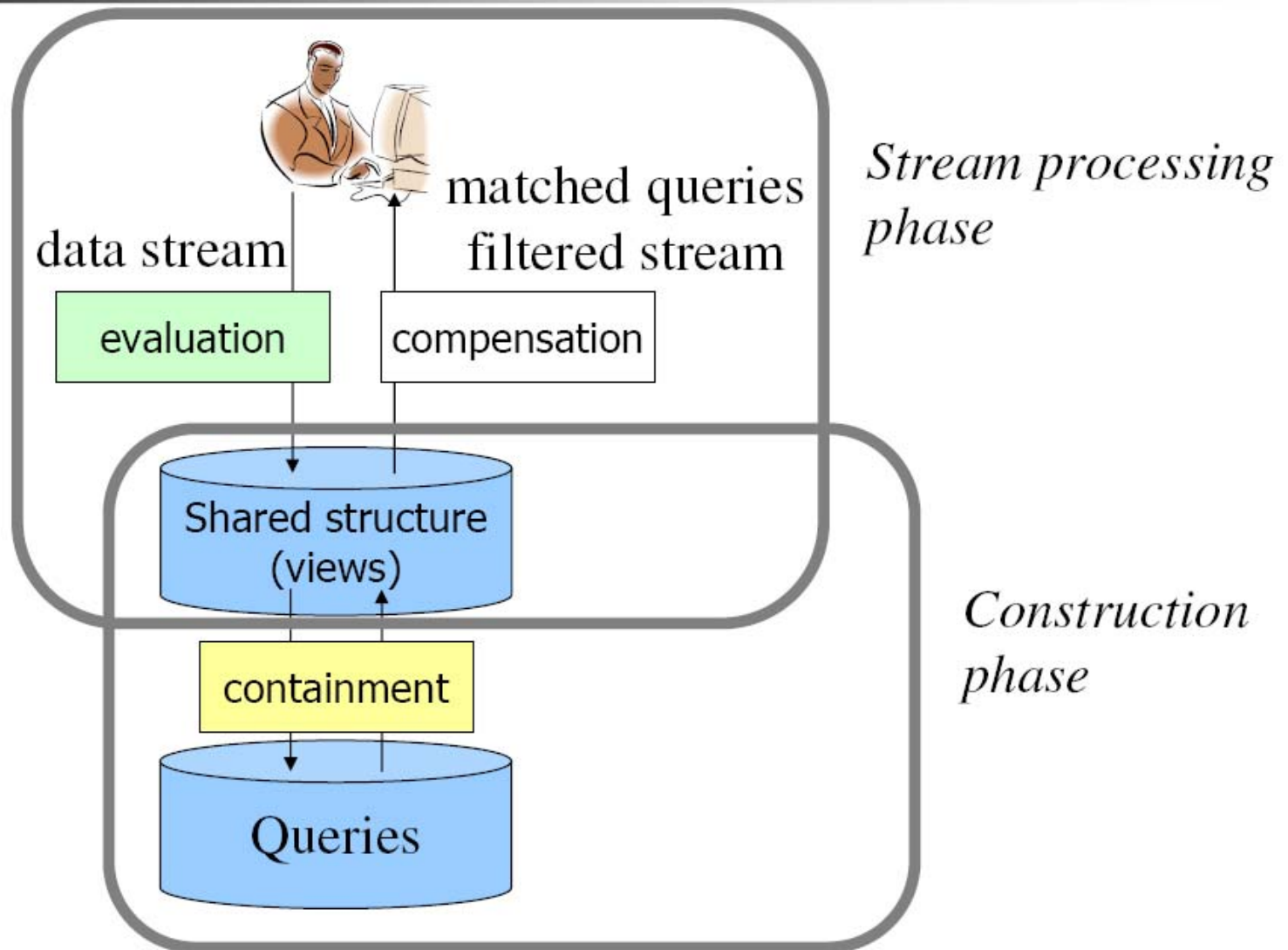
See

<http://www.cs.washington.edu/homes/suciu/talk-spire2002.ppt>

Duality -> XML databases -> XML streams



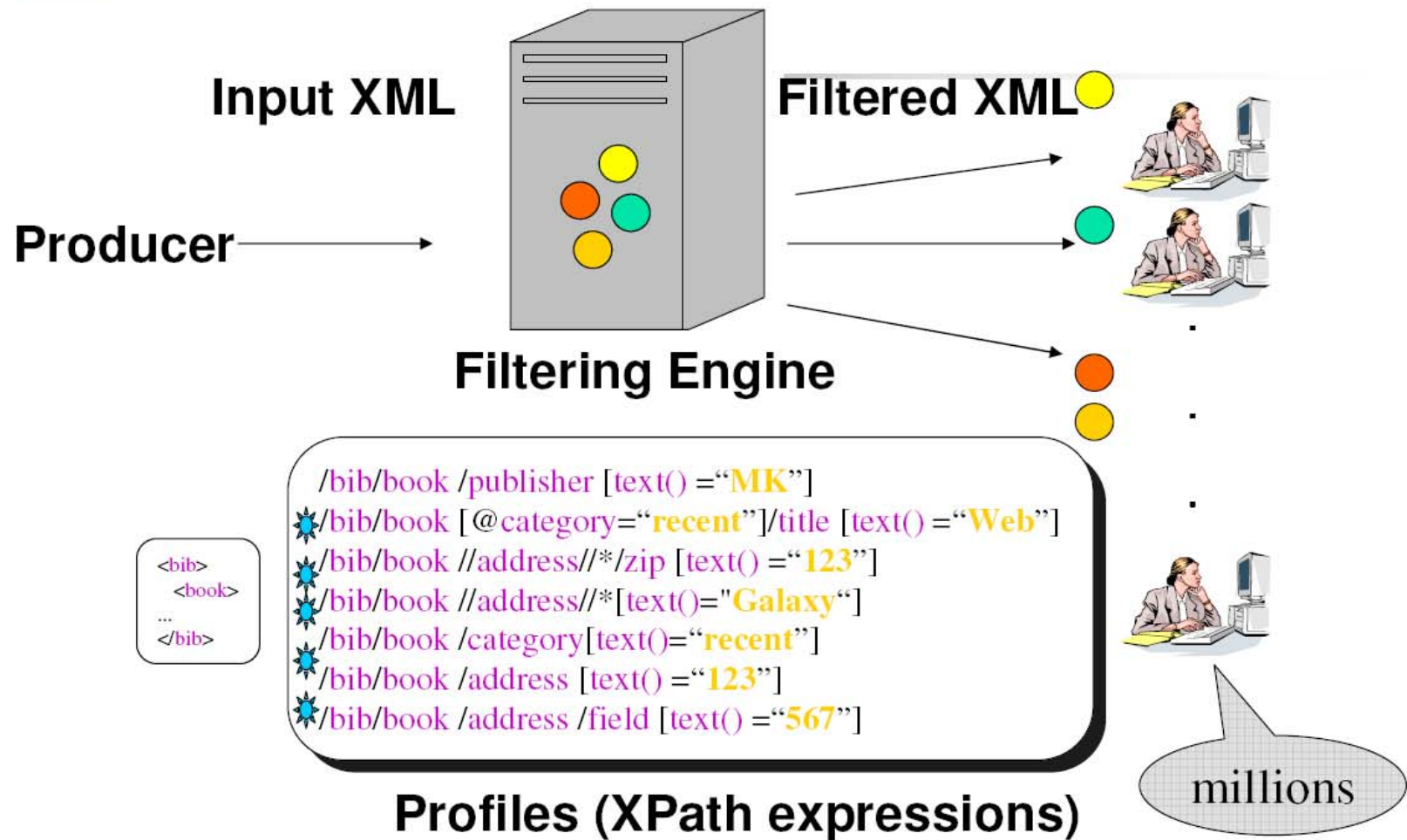
# Overview of XML stream





Duality -> XML databases -> **XML streams**

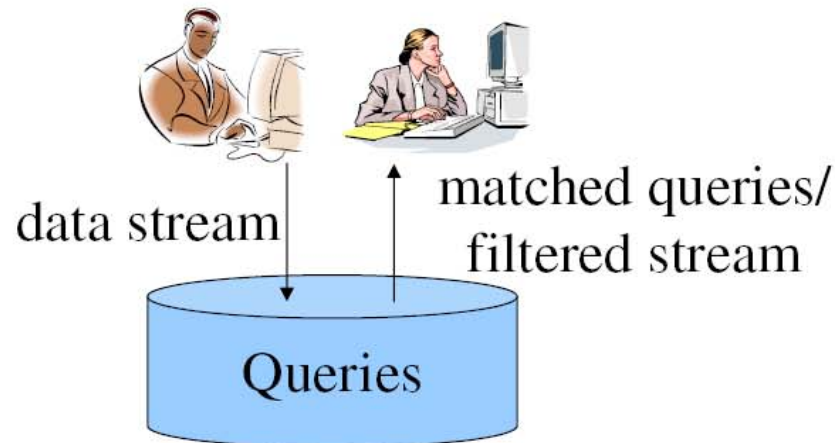
## SDI: Selective Dissemination of Information



Duality -> XML databases -> **XML streams**

## XML stream applications

- SDI system/alert system  
stock, real estates, news feeds, flight departure/arrival
- Incremental transformation  
XTim [WWW'05], XPath maintenance [SIGMOD'05]

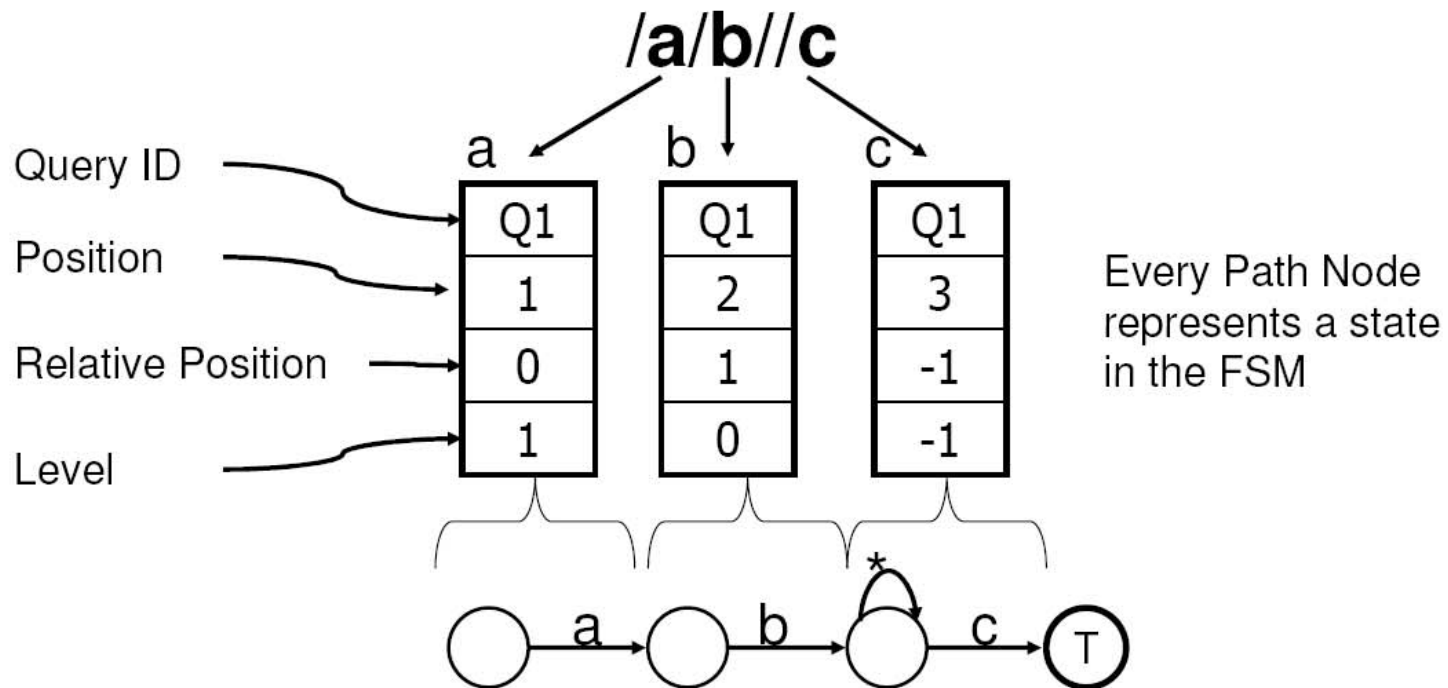


Duality -> XML databases -> XML streams

# XFilter (cont.)

## NFA, view class: //tag

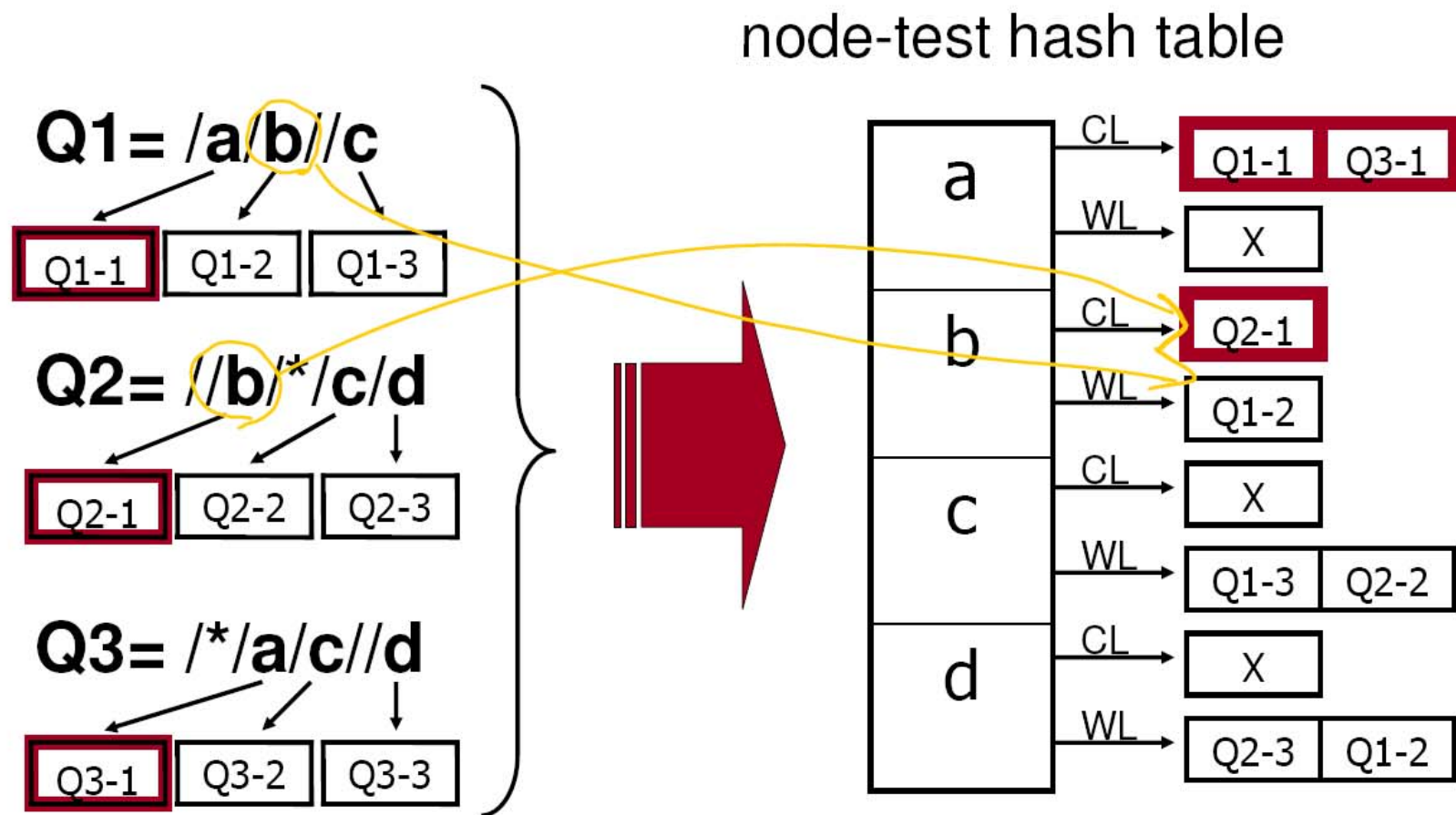
### Decomposing XPath Query



Duality -> XML databases -> XML streams

## XFilter (cont.)

NFA, view class: //tag





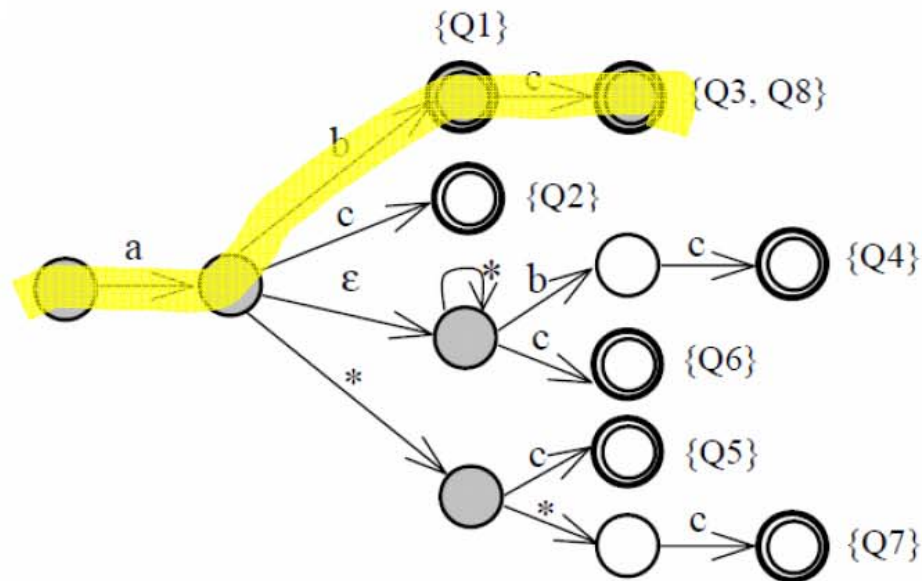
Duality -> XML databases -> XML streams

# YFilter

## NFA, view class: $XP\{/,//, *\}$

- prefix sharing
- Predicates are processed by labels

Q1= $/a/b$   
Q2= $/a/c$   
Q3= $/a/b/c$   
Q4= $/a//b/c$   
Q5= $/a/*/c$   
Q6= $/a//c$   
Q7= $/a/*/*/c$   
Q8= $/a/b/c$



(a) XPath queries

(b) A corresponding NFA (YFilter)



## Shared data structure

- Sharing identical structures among query trees  
What to share? node-test, simple path, branch, etc.

What to share?	View class	Algorithms
node-test	//tag	XFilter [VLDB'00]
simple sub-path	//tag1/.../tagN	XTrie [ICDE'02]
simple path	XP{/,/,/*}	YFilter [TODS'03], Lazy DFA [TODS'04], Prefix Filters [ICDE'05], AFilter [VLDB'06]
branch	XP{[,/,/,/*}	XPush machine [SIGMOD'03]
...	...	...

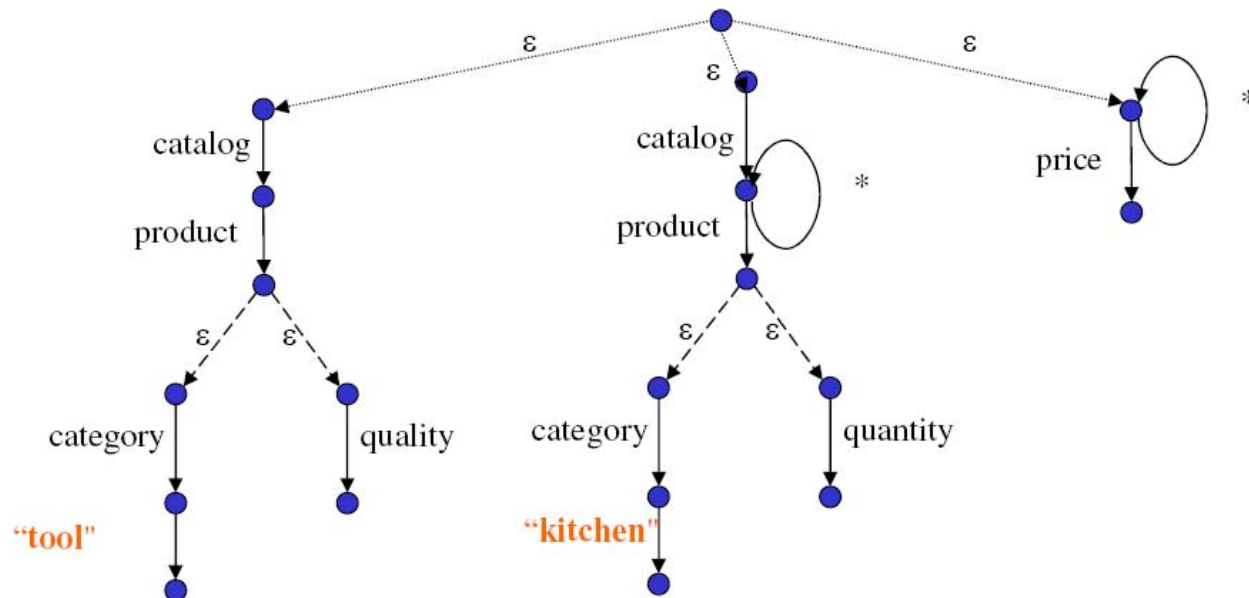
# XPath Processing with FA

-- From XPath (XP{[],/,//,\*,\*}) to NFA --

/catalog/product[category="tools"]/quantity

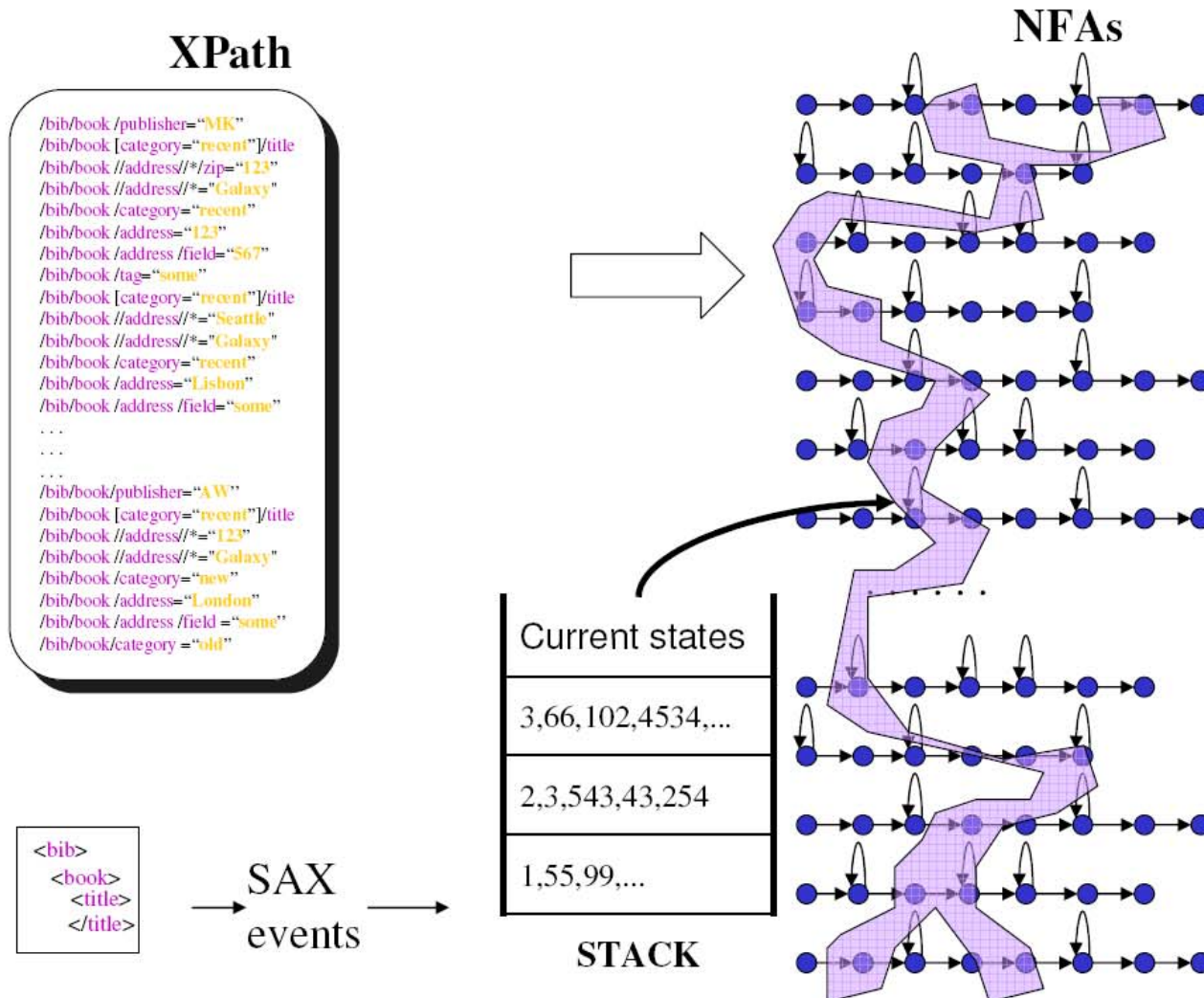
/catalog//product[category="kitchen"]/quality

//price



Duality -> XML databases -> XML streams

# NFA-based XPE Processing



# Basic NFA Evaluation

## Properties:

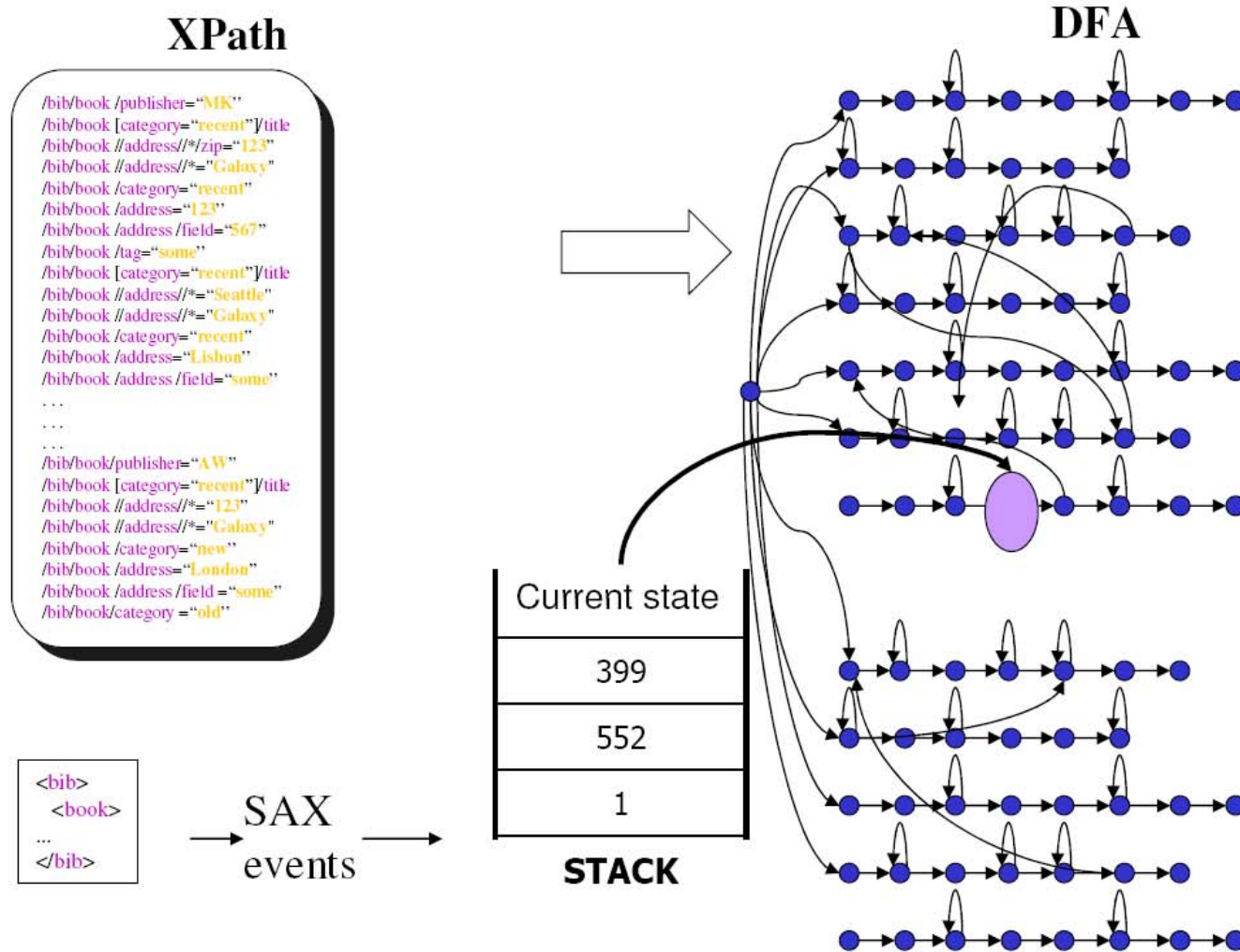
- ☺ Space = linear
- ☹ Throughput = decreases linearly

## Systems:

- XFilter [Altinel&Franklin'99], YFilter.
- XTrie [Chan et al.'02]

Duality -> XML databases -> XML streams

# DFA-based XPE Processing



# Basic DFA Evaluation

## Properties:

- ☺ Throughput = constant !
- ☹ Space = GOOD QUESTION

## System:

- XML Toolkit [University of Washington]  
**<http://xmltk.sourceforge.net>**

# The Size of the DFA

**Theorem** [GMOS'02] The number of states in the DFA for one linear XPath expression  $P$  is at most:

$$k + |P| k s^m$$

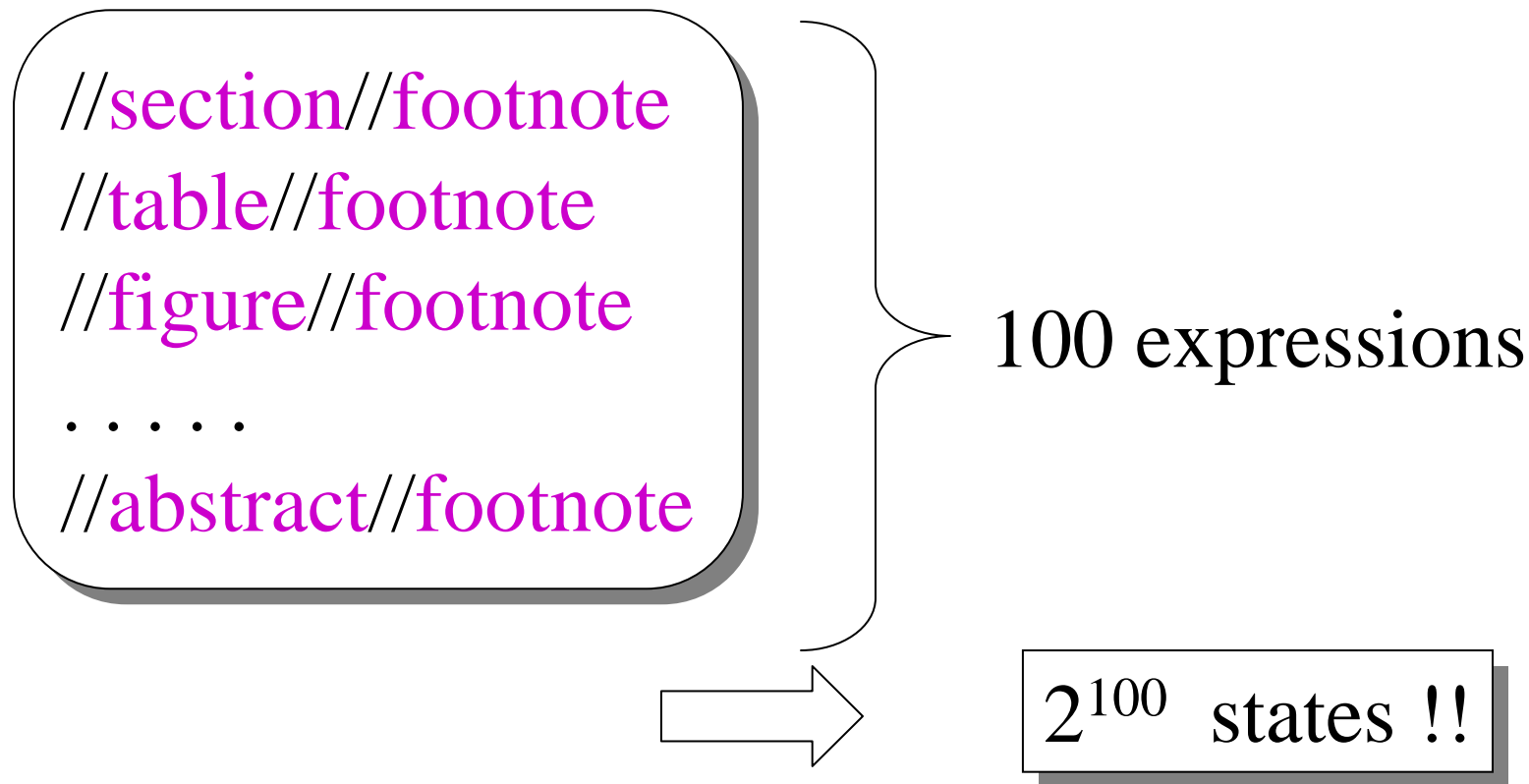
$k$  = number of //

$s$  = size of the alphabet (number of tags)

$m$  = max number of \* between two consecutive //



# Size of DFA: Multiple Expressions



There is a theorem here too, but it's not useful...

# Solution:

## Compute the DFA Lazily

- Also used in text searching
- But will it work for  $10^6$  XPath expressions ?
- YES !
- For XPath it is *provably* effective, for two reasons:
  - XML data is not very deep
  - The nesting structure in XML data tends to be predictable

Duality -> XML databases -> XML streams



# Lazy DFA

## DFA, view class: $XP\{/,//, *\}$

---

### Features

- Sharing the process of / and //, \* and tag
- DFA-based
- Compute DFA lazily (on demand)
- # of DFA states
  - Independent from # of XPath exprs.
  - Depends on DataGuide size (schema)

### Issue

- Predicates: XPush machine [SIGMOD'03]

# Lazy DFA and “Simple” DTDs

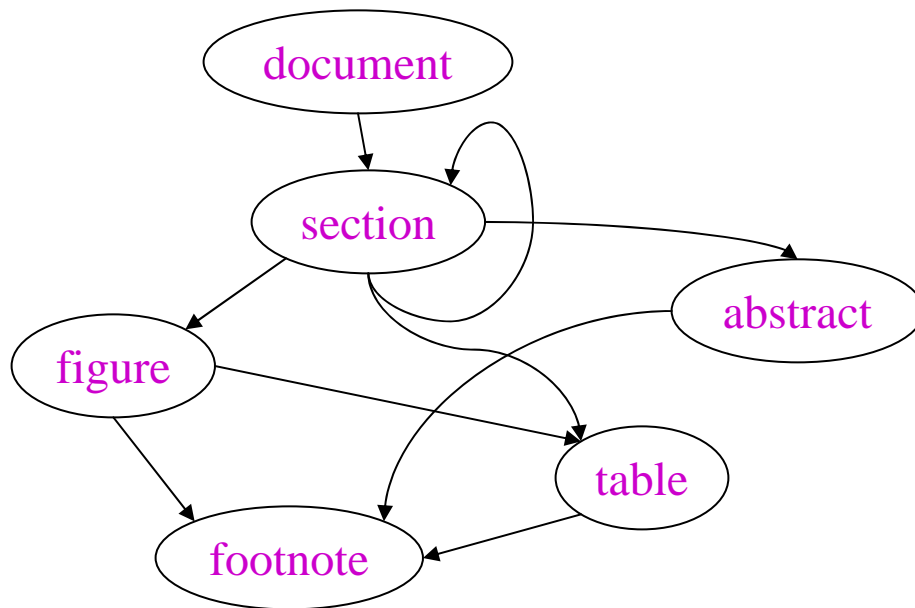
- Document Type Definition (DTD)
  - Part of the XML standard
  - Will be replaced by XML Schema
- Example DTD:

```
<!ELEMENT document (section*)>  
<!ELEMENT section ((section|abstract|table|figure)*)>  
<!ELEMENT figure (table?,footnote*)>  
. . . . .
```

**Definition** A DTD is simple if all cycles are loops

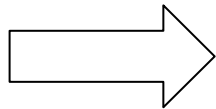
# Lazy DFA and “Simple” DTDs

Simple DTD:



XPath expressions

```
//section//footnote  
//table//footnote  
//figure//footnote  
//abstract//footnote
```



Eager DFA “remembers”  $2^4$  sets

Lazy DFA “remembers” only 4 sets

# Lazy DFA and “Simple” DTDs

**Theorem** [GMOS’02] If the XML data has a “simple” DTD, then lazy DFA has at most:

$$1 + D(1 + n)^d$$

states.

$n$  = max depths of XPath expressions

$D$  = size of the “unfolded” DTD

$d$  = max depths of self-loops in the DTD

**Fact of life:**  
“Data-like” XML  
has simple  
DTDs

# Lazy DFA and Data Guides

- “Non-simple” DTDs are useless for the lazy DFA
- “Everything may contain everything”

```
<!ELEMENT document (section*)>  
<!ELEMENT section ((section|table|figure|abstract|footnote)*)>  
<!ELEMENT table ((section|table|figure|abstract|footnote)*)>  
<!ELEMENT figure ((section|table|figure|abstract|footnote)*)>  
<!ELEMENT abstract ((section|table|figure|abstract|footnote)*)>
```

Fact of life: “Text”-like XML has non-simple DTDs

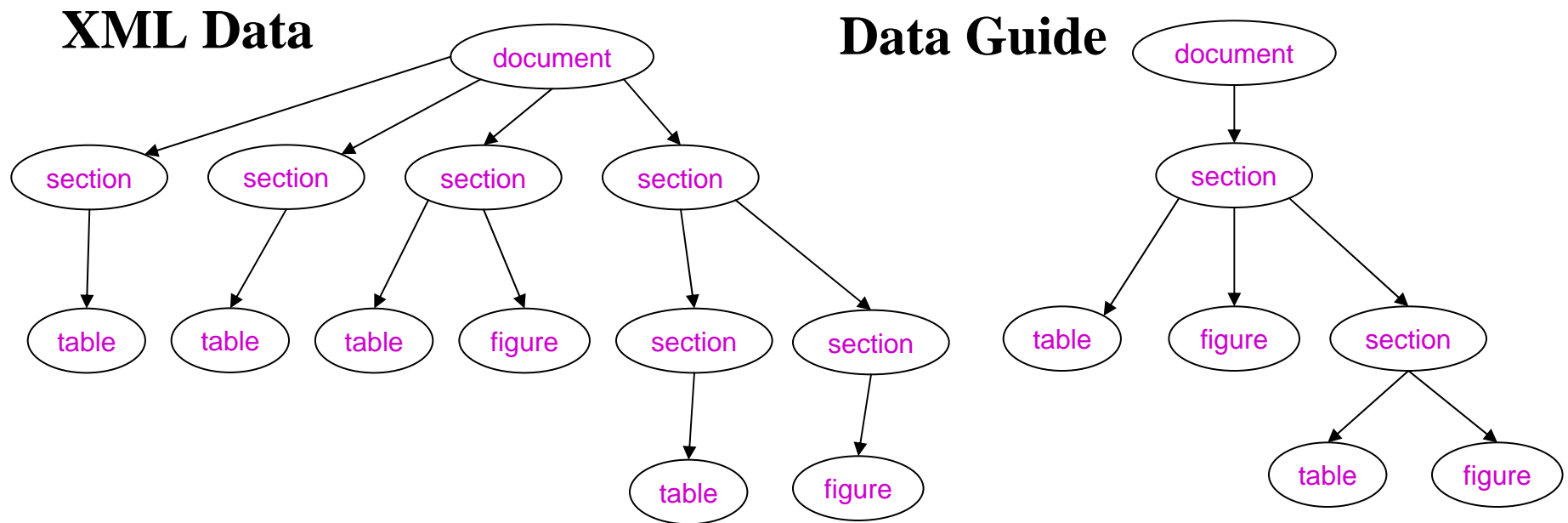
# Lazy DFA and Data Guides

**Definition** [Goldman&Widom'97]

The data guide for an XML data instance is the Trie of all its root-to-leaf paths



# Lazy DFA and Data Guides



Fact of life: real XML data has “small” data guide  
[Liefke&S.'00]

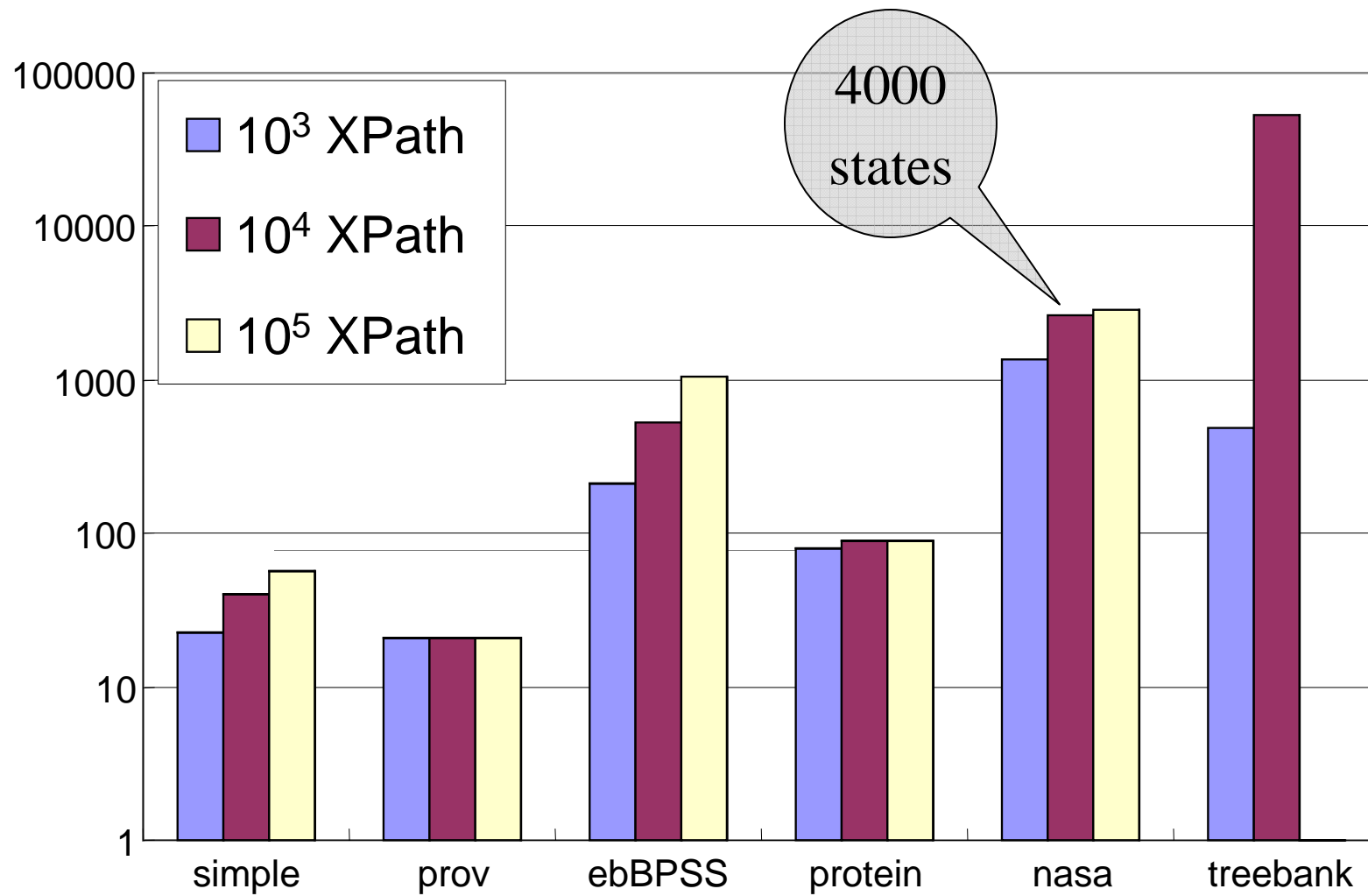
# Lazy DFA and “Simple” DTDs

**Theorem** [GMOS'02] If the XML data has a data guide with  $G$  nodes, then the number of states in the lazy DFA is at most:

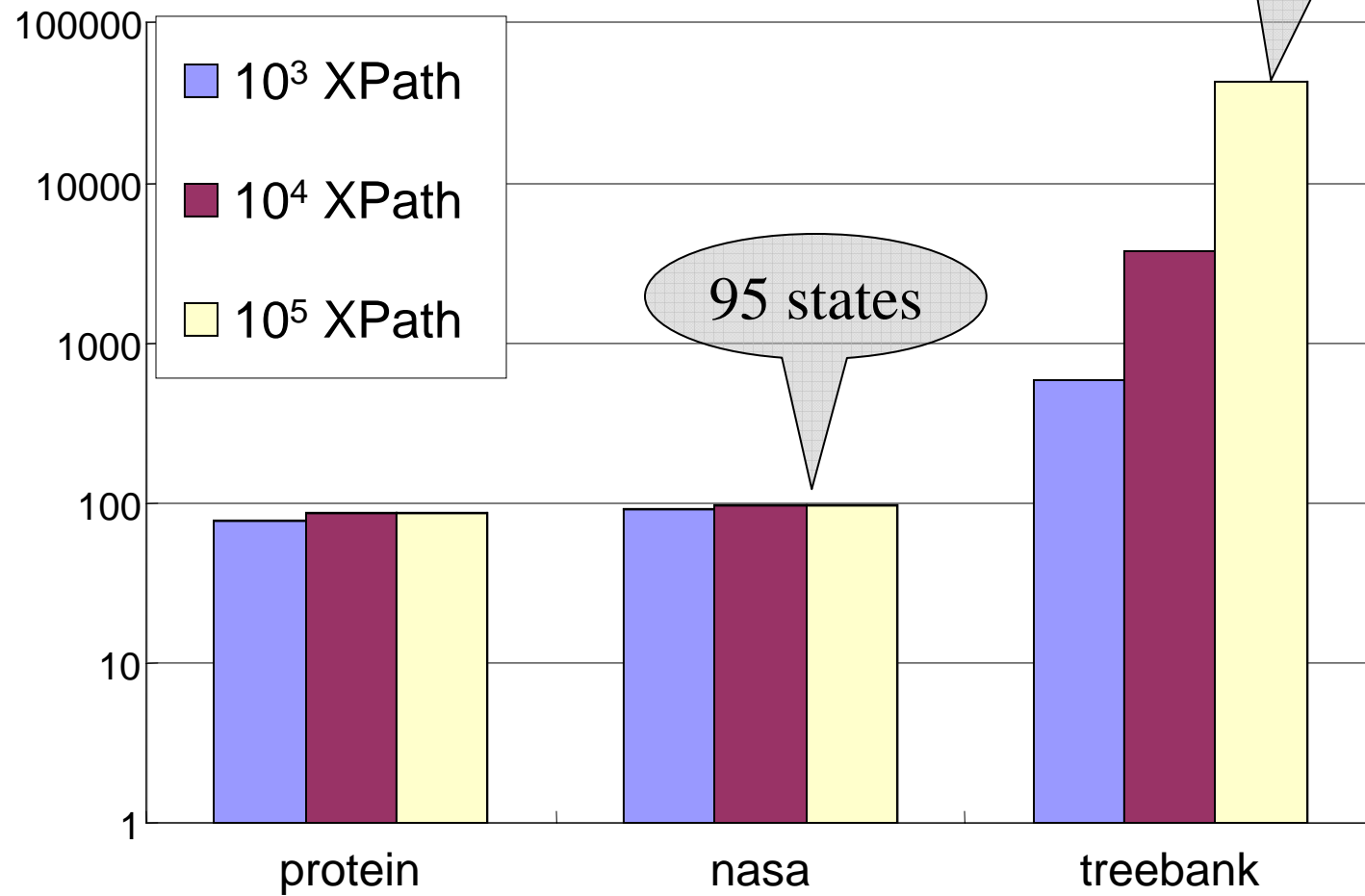
$$1+G$$

$G$  = number of nodes in the data guide

Number of Lazy DFA States - SYNTHETIC Data

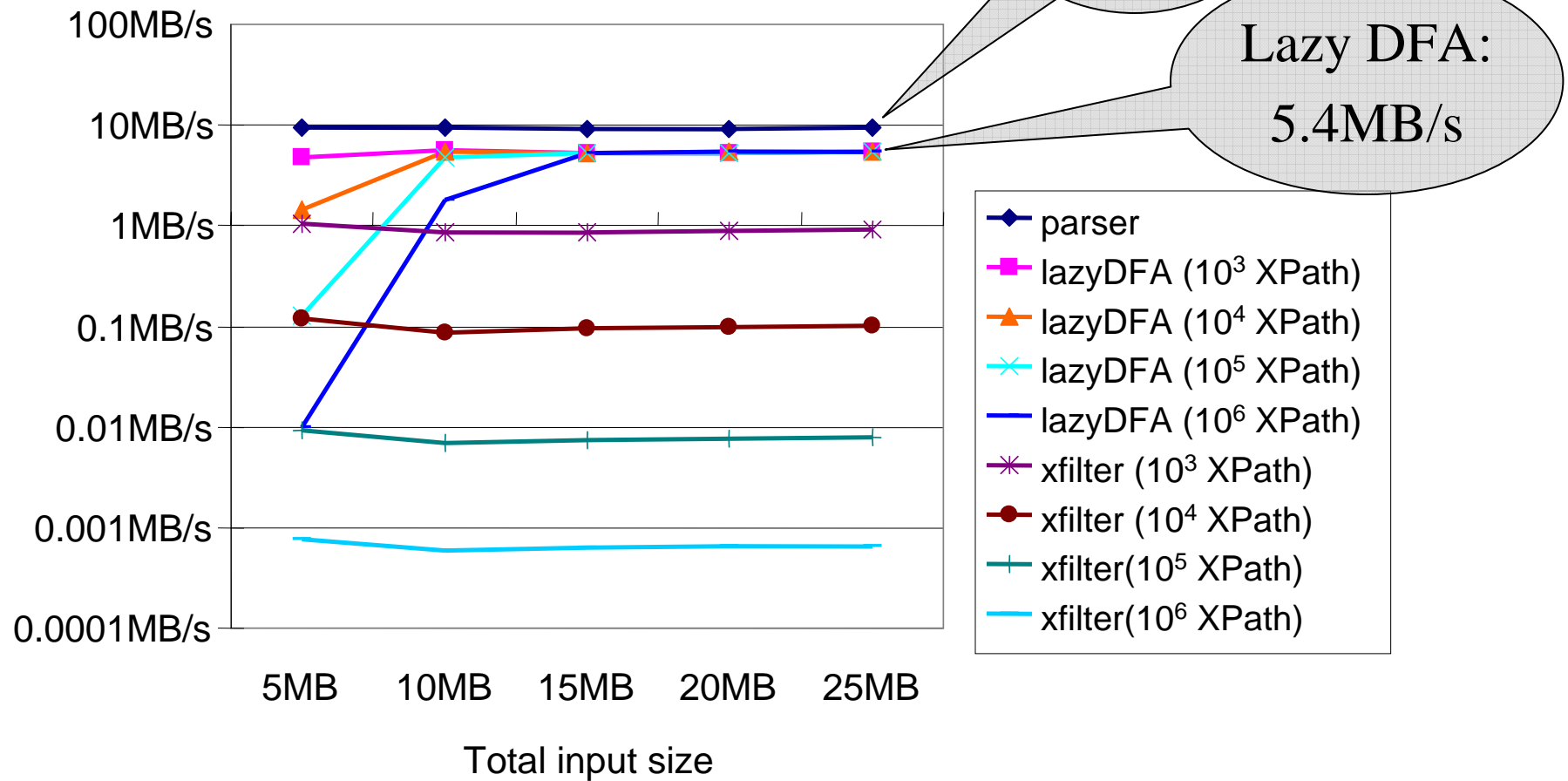


Number of Lazy DFA States - REAL Data



# Throughput for $10^3$ , $10^4$ , $10^5$ , $10^6$ XPath expressions

[ prob(\*)=10%, prob(//)=10% ]



**END**  
**Lecture 9**