# COMP2521 23T3 <br> Applications of Hash Tables 

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set adt
counter adt
assorted problems

A hash table is a data structure that stores key-value pairs, where keys are unique

## Operations:

> Insert: Insert or replace key-value pair Lookup: Given a key, get its associated value Delete: Given a key, delete its key-value pair

## Performance:

## Average-case: $O(1)$

Assuming good hash function and appropriate resizing
Worst-case: $O(n)$
If all keys hash to the same value (extremely unlikely with good hash)

Hash tables are used everywhere due to their efficiency

## Set

A set is an unordered collection of distinct elements

## Operations:

Insert: Insert an item into the set Membership: Check if an item is in the set Delete: Delete an item from the set

```
/** Creates a new empty set */
Set SetNew(void);
/** Free memory used by set */
void SetFree(Set set);
/** Inserts an item into the set */
void SetInsert(Set set, int item);
/** Checks if an item is in the set */
bool SetContains(Set set, int item);
/** Deletes an item from the set */
void SetDelete(Set set, int item);
/** Returns the size of the set */
int SetSize(Set set);
/** Displays the set */
void SetShow(Set set);
```

| Data Structure | Insert | Membership | Delete |
| :--- | :---: | :---: | :---: |
| Unordered array | $O(n)$ | $O(n)$ | $O(n)$ |
| Ordered array | $O(n)$ | $O(\log n)$ | $O(n)$ |
| Ordered linked list | $O(n)$ | $O(n)$ | $O(n)$ |
| AVL tree | $O(\log n)$ | $O(\log n)$ | $O(\log n)$ |
| Hash table | $?$ | $?$ | $?$ |

# How to implement the Set ADT using a hash table? 

Insert
Insert item into the hash table as a key
Can use anything as the value
Contains
Check if the item exists in the hash table

## Delete

Delete the item from the hash table

| Data Structure | Insert | Membership | Delete |
| :--- | :---: | :---: | :---: |
| Unordered array | $O(n)$ | $O(n)$ | $O(n)$ |
| Ordered array | $O(n)$ | $O(\log n)$ | $O(n)$ |
| Ordered linked list | $O(n)$ | $O(n)$ | $O(n)$ |
| AVL tree | $O(\log n)$ | $O(\log n)$ | $O(\log n)$ |
| Hash table* | $O(1)$ | $O(1)$ | $O(1)$ |

* average costs


## Counter

A counter is a collection of items where each distinct item has a count

## Operations

Add: Add one to the count of an item Get: Get the count of an item

How to implement the Counter ADT using a hash table?
Use hash table to map items to their counts
Add
Look up item's count in the hash table Then re-insert the item into the hash table with count increased by 1

Get
Look up item's count in the hash table

Hash tables are often used as sets or counters to solve problems efficiently

Examples:<br>Two sum<br>Odd occurring elements<br>Anagram

## Problem:

Given an array of integers and a target sum $S$, determine whether the array contains two integers that sum to $S$.

## Examples:

Consider the array $A=[12,6,3,3,7,8]$

$$
\begin{aligned}
\operatorname{twoSum}(A, 13) & \Rightarrow \text { true } \\
\operatorname{twoSum}(A, 16) & \Rightarrow \text { false } \\
\text { twoSum }(A, 3) & \Rightarrow \text { false } \\
\text { twoSum }(A, 6) & \Rightarrow \text { true }
\end{aligned}
$$

## Odd Occurring Elements

## Problem:

Given an array of integers, return the number of distinct integers that occur an odd number of times.

## Examples:

oddOccurring $([4,3,4,8,8,4]) \Rightarrow 2$
oddOccurring $([7,2,1,5,6,9]) \Rightarrow 6$
oddOccurring( $[1,1,3,3,7,7]) \Rightarrow 0$

## Problem:

Given two strings $s$ and $t$, determine whether they are anagrams.

Two strings are anagrams if they contain the same amount of each character.

## Examples:

$$
\begin{aligned}
\text { anagram("abcde", "edcba") } & \Rightarrow \text { true } \\
\text { anagram("abcde", "fdcba") } & \Rightarrow \text { false } \\
\text { anagram("abcde", "abcdef") } & \Rightarrow \text { false } \\
\text { anagram("aaabb", "ababa") } & \Rightarrow \text { true } \\
\text { anagram("aaabb", "babab") } & \Rightarrow \text { false }
\end{aligned}
$$

https://forms.office.com/r/aPF09YHZ3X


